

Teleportation Is Correlation Obtained by Selection

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Can we obtain 100% correlations of properties that a measured system has not originally possessed?

Yes! In 1993 we discovered that we can get such correlations with quantum systems.

For example, when two unpolarized photons— 1_0 and 2_0 shown in the figure on the right—interact at the beam splitter BS then the probability of both detectors, $D1$ and $D2$, detecting them is

$$\frac{1}{2} \sin^2(\theta_1 - \theta_2) \quad (1)$$

where θ_1 and θ_2 are angles by which the polarizers $P1$ and $P2$ are rotated.

This means that for perpendicularly oriented polarizers whenever one of the detectors detect one photon the other detector **must** also fire: **selected** photons show **perfect correlation**, i.e., they are **entangled**. When both photons are detected by $D1$ or both by $D2$, then they do not show such correlation, but $[1 + \cos^2(\theta_1 - \theta_2)]/2$.

[1] Pavičić, M., Spin Correlated Interferometry for Polarized and Unpolarized Photons on a Beam Splitter, *Physical Review*, **A 50**, 3486–3491 (1994).

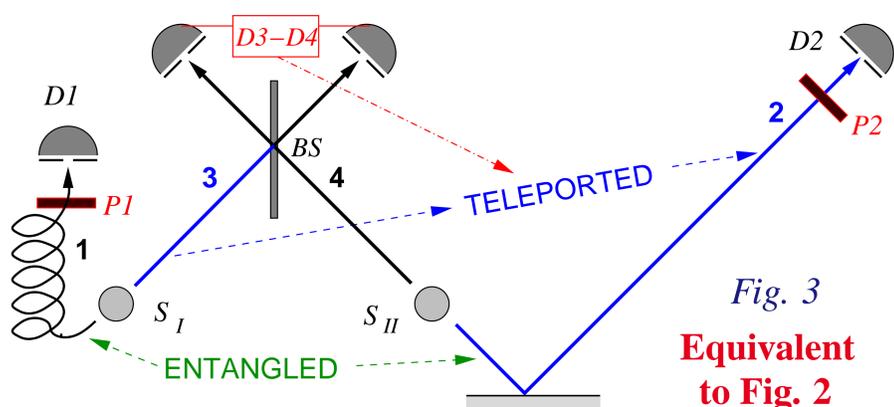


The photons above interact at a beam splitter! Can we obtain 100% correlations of previously unpossessed properties of systems that nowhere previously interacted and that stem from completely independent sources?



Yes! In 1993 we discovered that this is also possible and that this amounts to teleportation of unknown properties.

[2] Pavičić, M. and J. Summhammer, Interferometry with Two Pairs of Spin Correlated Photons, *Physical Review Letters*, **73**, 3191-3194 (1994)



The teleportation here is not a Star Trek teleportation since we do not teleport photons themselves—only their states.

[3] Pavičić, M., Preselection of Spin-Correlated Photons, *Journal of the Optical Society of America*, **B 12**, 821–828 (1995).

[4] Pavičić, M., *Int. J. Theor. Physics*, **34**, 1653–1665 (1995); [5] Pavičić, M., *Optics Commun.*, **142**, 308–314 (1997).

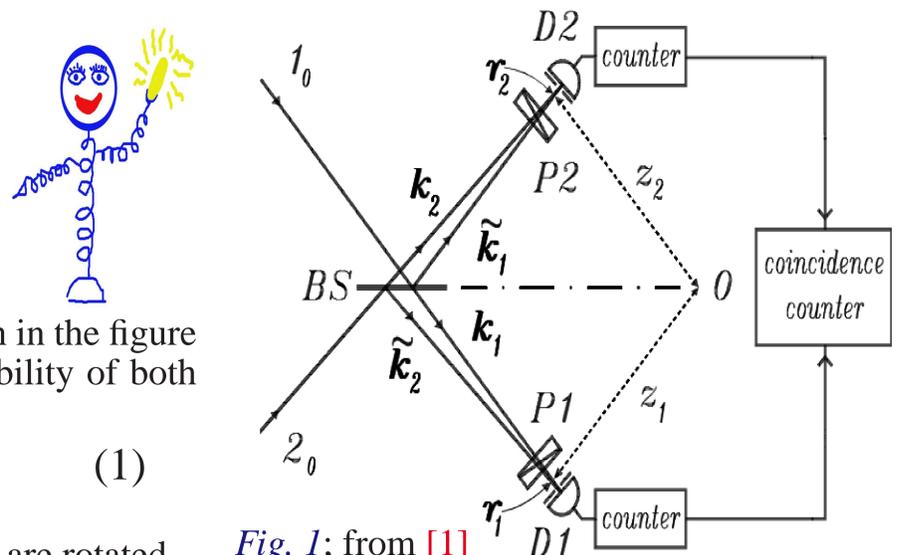


Fig. 1; from [1]

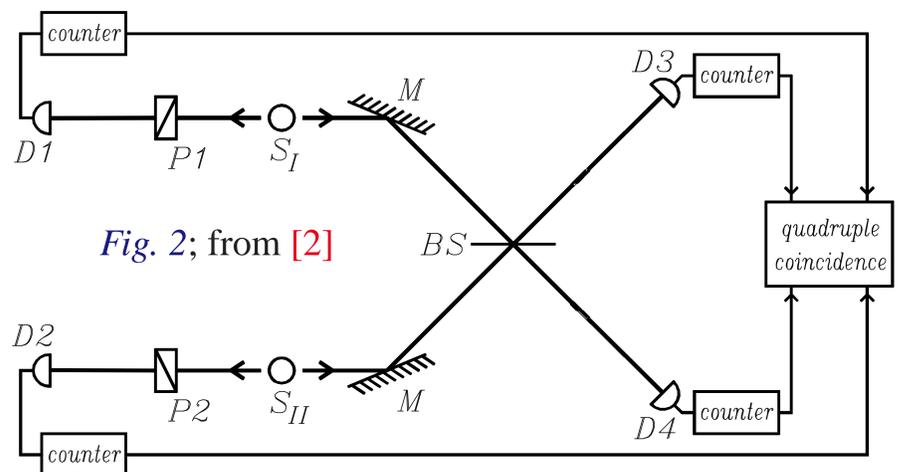


Fig. 2; from [2]

Each of the sources S_I and S_{II} **spontaneously** emits a pair of photons. So, the sources are **completely independent**. Photons in each pair are mutually correlated and would satisfy Eq. (1) if tested.

Now, our calculations show that if detectors $D3$ and $D4$ fire (almost) simultaneously, they will **select** those photons 1 and 2 that would be 100% correlated, i.e., **entangled** in polarization, although there are **no** polarizers in front of $D3$ and $D4$.

Since photons 1 and 3 are also correlated, we see that the (polarization) states of photons 3 and 2 coincide, i.e., we **teleport** state of photon 3 to photon 2. We do so even when we do not measure polarization of photon 1 by $P1$ and $D1$. Selection by $D3$ and $D4$ we often call a **classical channel**.