

# Status of the UrQMD predictions

M.Chartier, E.De Filippo, Y.Leifels, R.C.Lemmon, Q.Li, J.Lukasik,  
A.Pagano, P.Pawlowski, P.Russotto\*, W.Trautmann, P.Wu  
and the ASY-EOS collaboration



\*LNS-INFN and Università di Catania, Italy

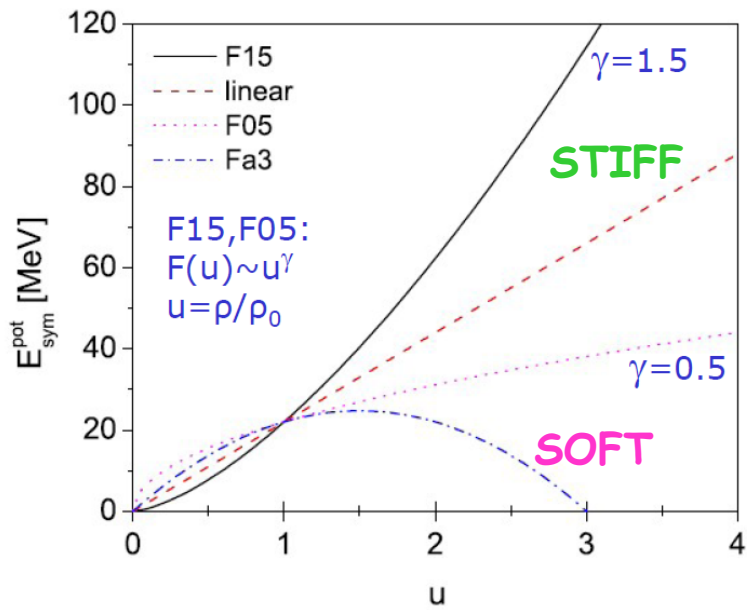
# A key problem: The density dependence of the Symmetry Energy

$$\frac{E}{A}(\rho, I) = \frac{E}{A}(\rho, I=0) + \frac{E_{Sym}}{A}(\rho)I^2 + \dots O(4)$$

$$I = \frac{\rho_n - \rho_p}{\rho_n + \rho_p}$$

$I$  is the isospin asymmetry in terms of the neutron and protons density

parameterization in the UrQMD



Qingfeng Li et al., J. Phys. G 31 1359-1374 (2005)

parameterization in the IBUU

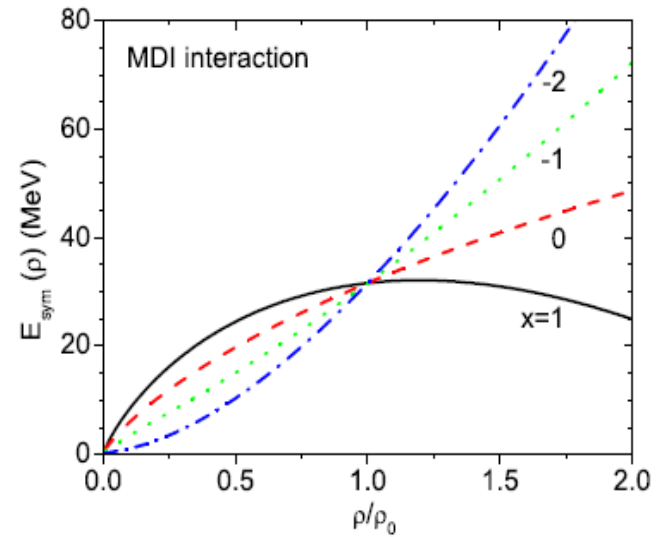


FIG. 2: (Color online) Symmetry energy as a function of density for the MDI interaction with  $x = 1, 0, -1$  and  $-2$ . Taken from Ref. [109].

B.A. Li et al., Phys. Rep. 464 (2008)

# Current Experimental Constraints on the Symmetry Energy

## Increasingly stringent constraints at $\rho < \rho_0$ :

- Giant and Pigmy Dipole Resonances
- Isospin diffusion and n/p ratios in HICs
  - Isobaric analogue states and masses
  - Isoscaling in projectile fragmentation

## Almost no constraints at $\rho > \rho_0$ :

- limited  $\pi^-/\pi^+$ ,  $K^+/K^0$ , n-p flow studies

PRL 102, 062502 (2009)

PHYSICAL REVIEW LETTERS

week ending  
13 FEBRUARY 2009

## Circumstantial Evidence for a Soft Nuclear Symmetry Energy at Suprasaturation Densities

Zhigang Xiao,<sup>1</sup> Bao-An Li,<sup>2,\*</sup> Lie-Wen Chen,<sup>3</sup> Gao-Chan Yong,<sup>4</sup> and Ming Zhang<sup>1</sup>

## Determination of the Stiffness of the Nuclear Symmetry Energy from Isospin Diffusion

Lie-Wen Chen,<sup>1,\*</sup> Che Ming Ko,<sup>1</sup> and Bao-An Li<sup>2</sup>

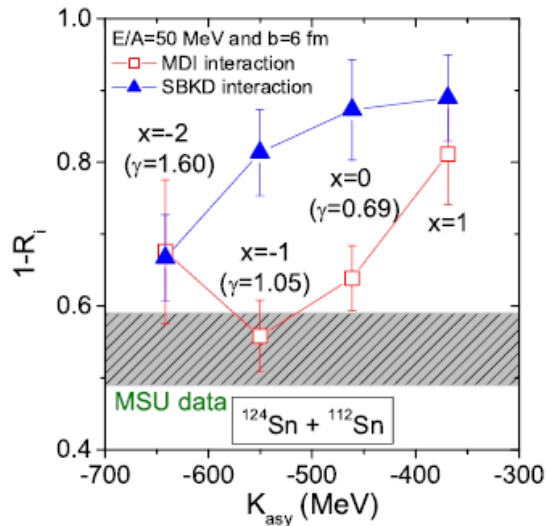


FIG. 4 (color online). The degree of isospin diffusion as a function of  $K_{asy}$  with the MDI and SBKD interactions.  $\gamma$  is the parameter for fitting the corresponding symmetry energy with  $E_{sym}(\rho) = 31.6(\rho/\rho_0)^\gamma$ .

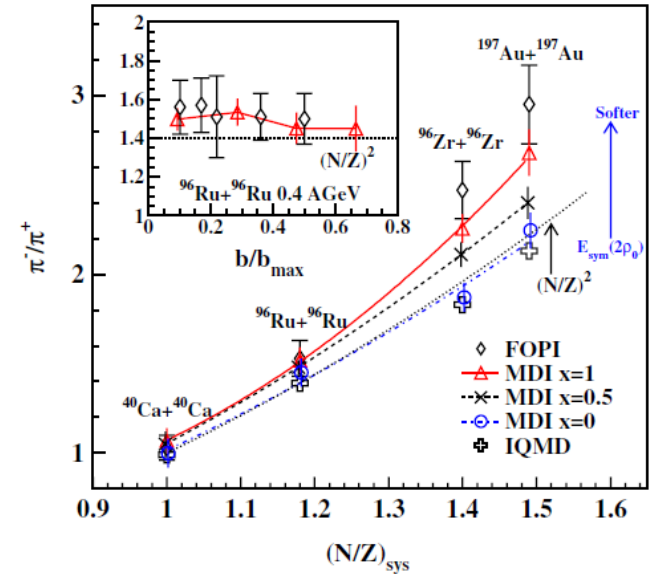


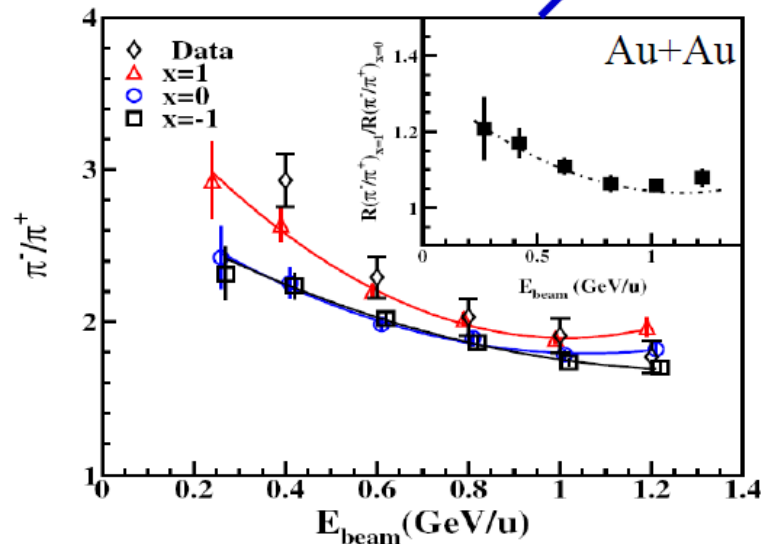
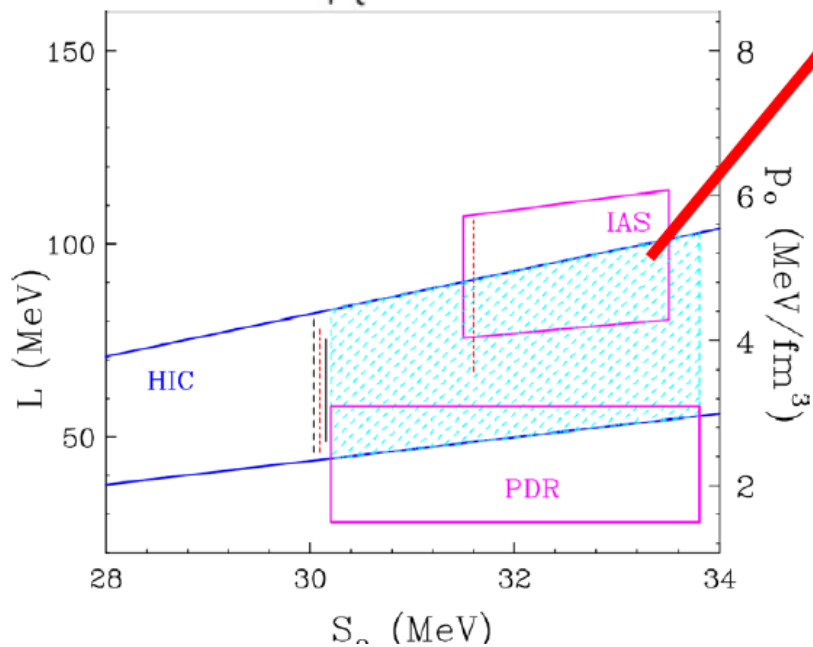
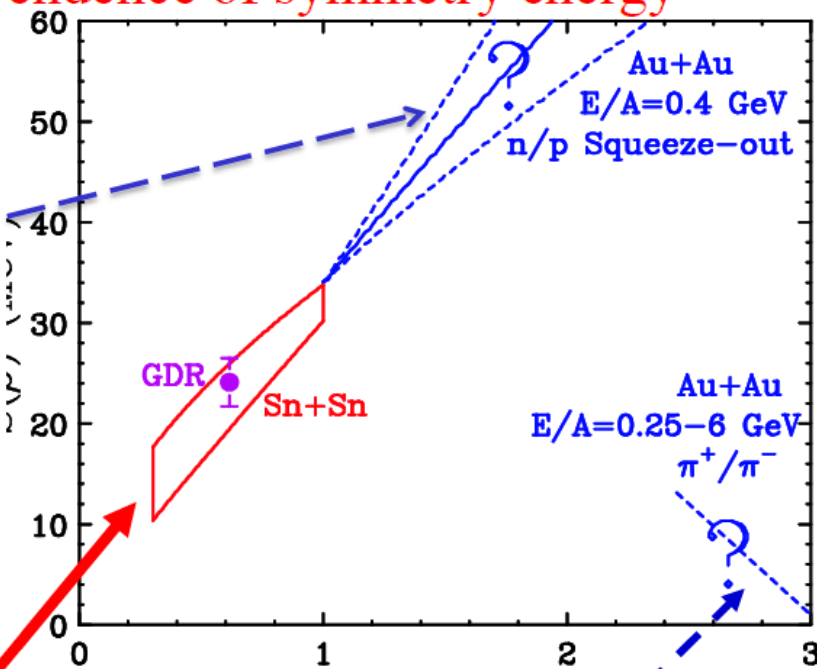
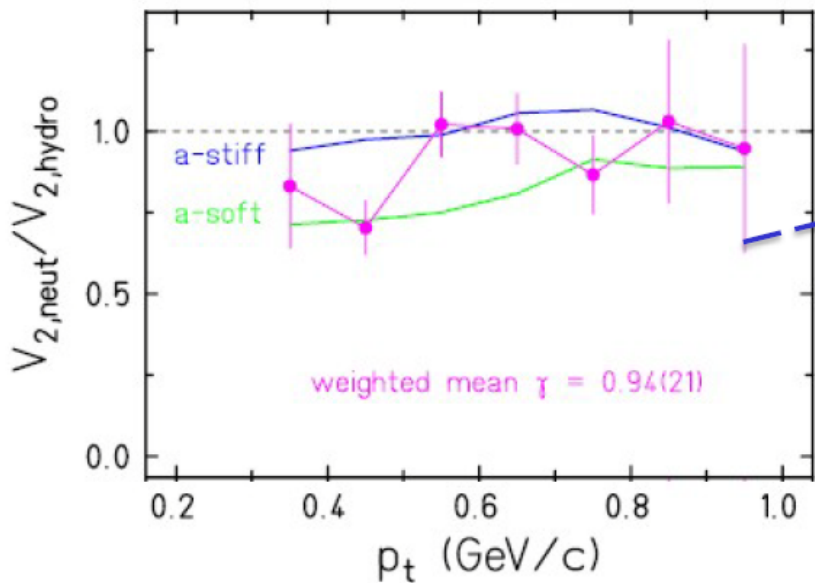
FIG. 2 (color online). The  $\pi^-/\pi^+$  ratio as a function of the neutron/proton ratio of the reaction system at 0.4A GeV with the reduced impact parameter of  $b/b_{max} \leq 0.15$ . The inset is the impact parameter dependence of the  $\pi^-/\pi^+$  ratio for the  $^{96}\text{Ru} + ^{96}\text{Ru}$  reaction at 0.4A GeV.

PRL 94, 032701 (2005)

PHYSICAL REVIEW LETTERS

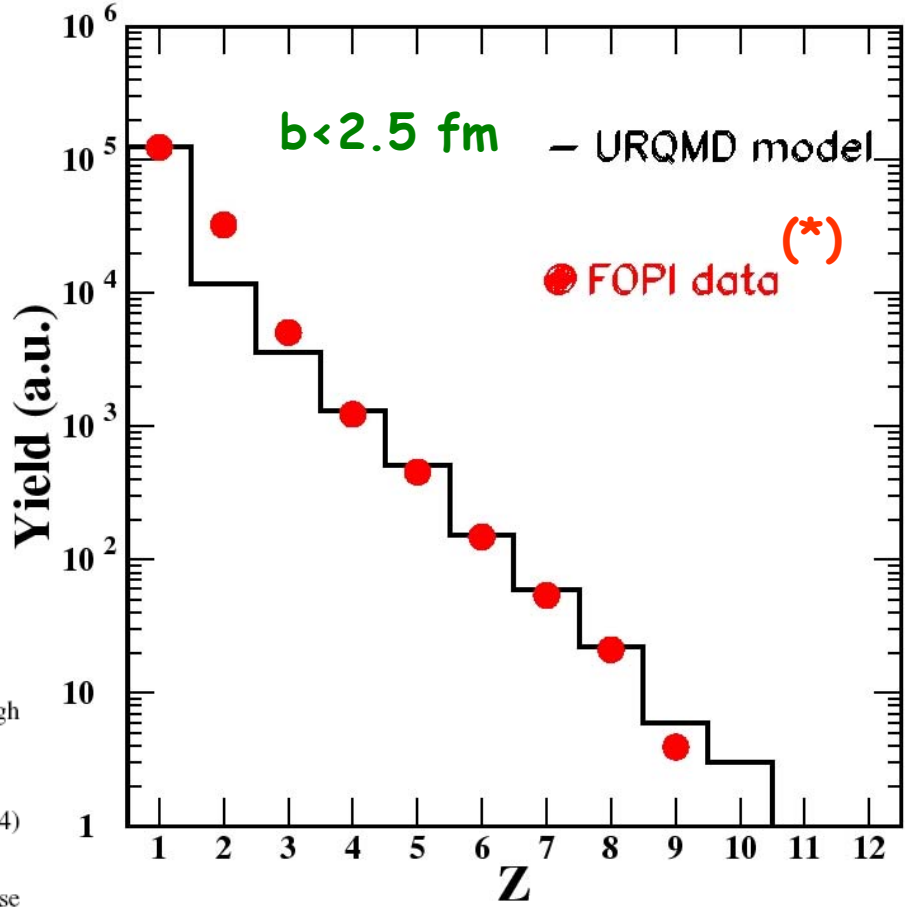
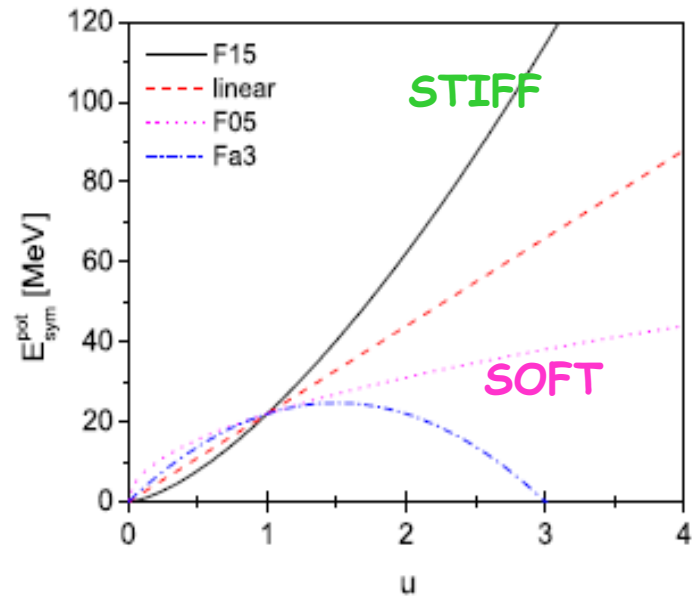
week ending  
28 JANUARY 2005

Constraints on the density dependence of symmetry energy



# URQMD simulations (by Qingfeng Li)

UrQMD vs. FOPI data:  
Au+Au @ 400 A MeV



symmetry potential energy.

In order to mimic the strong density dependence of the symmetry potential at high densities, we adopt the form of  $F(u)$ , used in [4], as

$$F(u) = \begin{cases} F_1 = u^\gamma, & \gamma > 0, \\ F_2 = u \cdot \frac{a-u}{a-1}, & a > 1. \end{cases} \quad u = \rho/\rho_0 \quad (4)$$

Here,  $\gamma$  is the strength of the density dependence of the symmetry potential. We choose  $\gamma = 0.5$  and  $1.5$ , denoted as the symmetry potentials F05 and F15, respectively.  $a$  (in  $F_2$ ) is

See Qingfeng Li, J. Phys. G 31 1359-1374 (2005) and references therein

Coalescence condition:

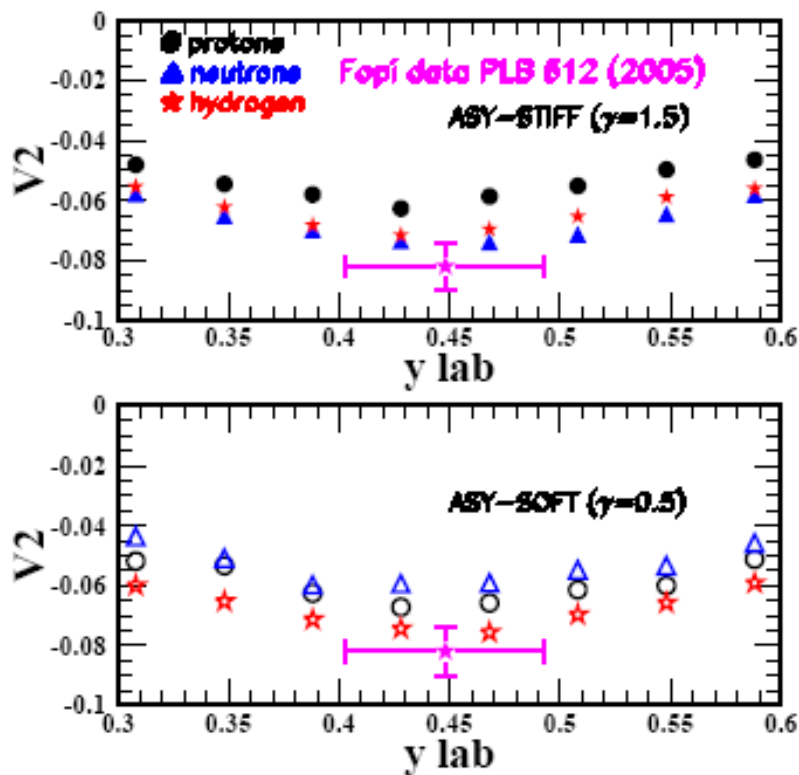
DR < 3 fm and DP < 275 MeV/c

(\*) W. Reisdorf et al.,  
NPA 612 493-556 (1997)

# differential elliptic flow

$$V_2(y, p_t) = \left\langle \frac{p_x^2 - p_y^2}{p_t^2} \right\rangle.$$

Q.F. Li and P. Russotto



UrQMD vs. FOPi data:  
Au+Au @ 400 A MeV

stiff

$5.5 < b < 7.5$  fm

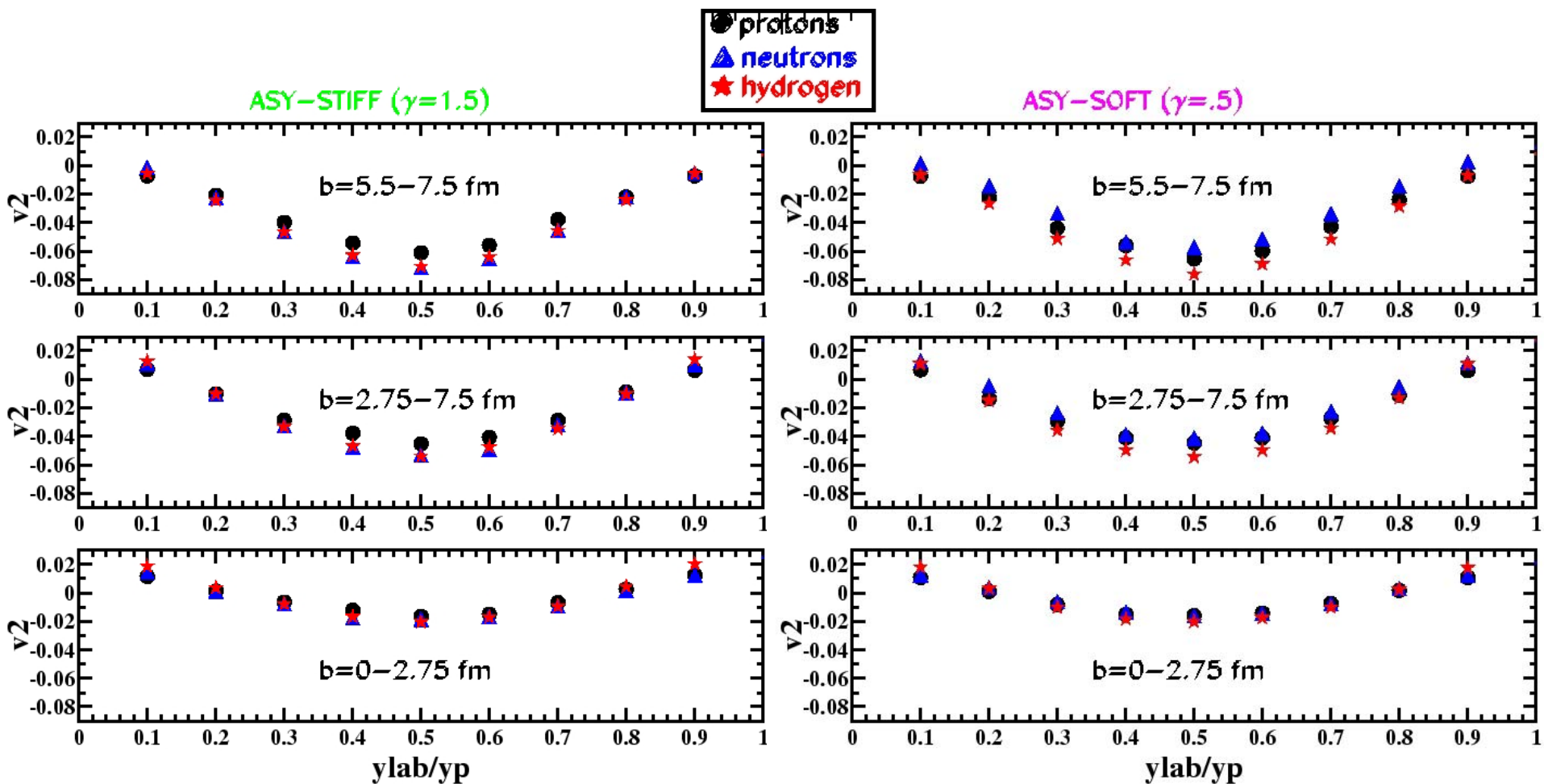
*inversion of neutron  
and hydrogen flows*

soft

squeeze-out more  
sensitive than the  
directed flow

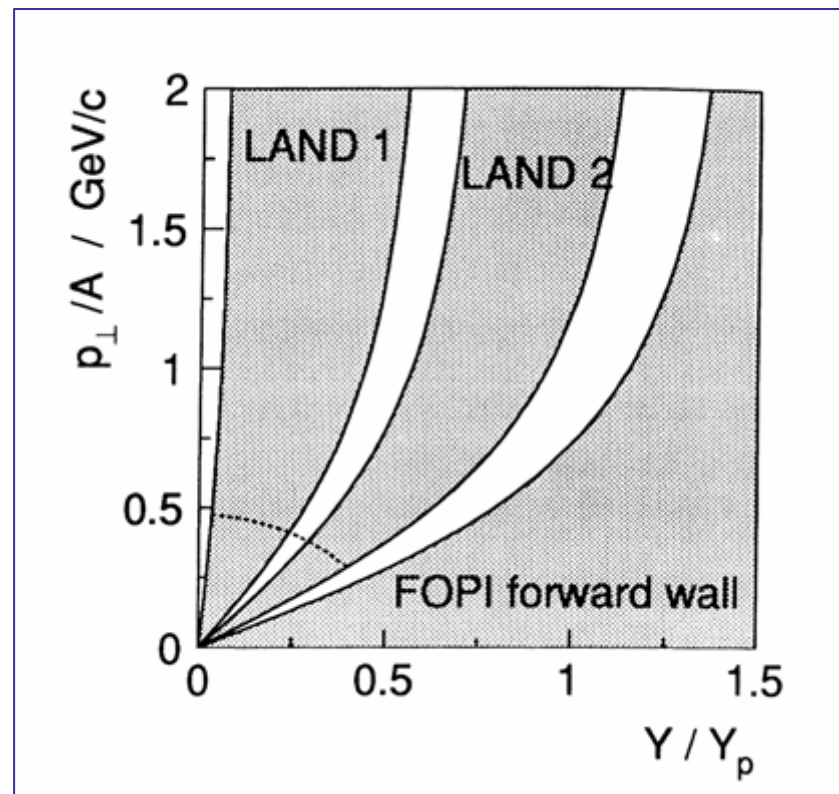
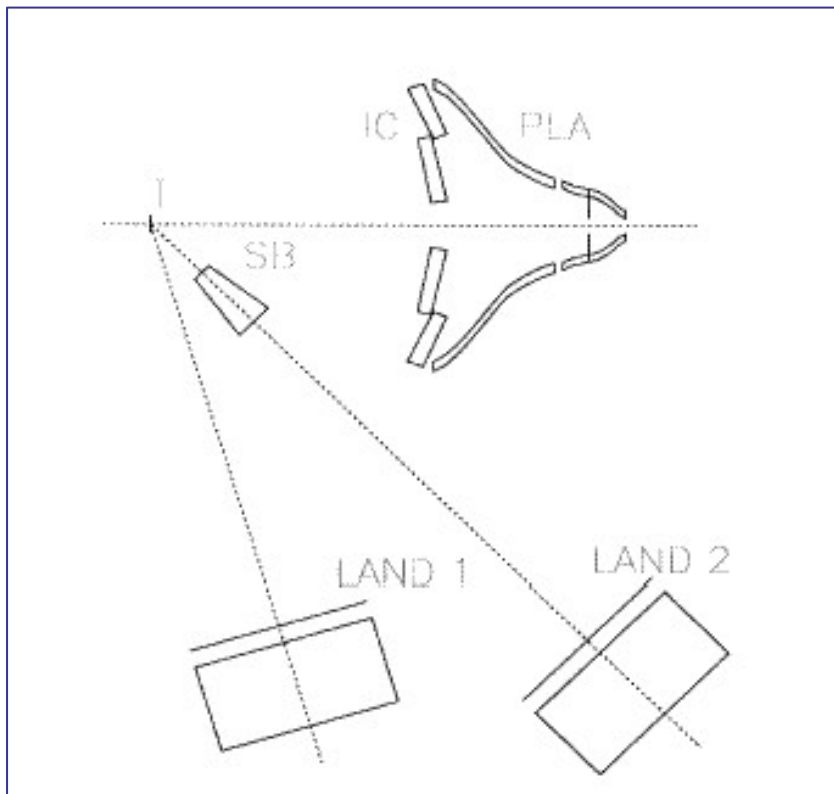
# URQMD simulations: Au+Au @ 400 A MeV

Evolution with impact parameter



# FOPI/LAND experiment on neutron squeeze out

Au+Au 400 A MeV



**LAND coverage**

$$37^\circ < \theta_{\text{lab}} < 53^\circ$$

$$61^\circ < \theta_{\text{lab}} < 85^\circ$$

Y. Leifels et al., PRL 71, 963 (1993)

Comparison to experimental data:

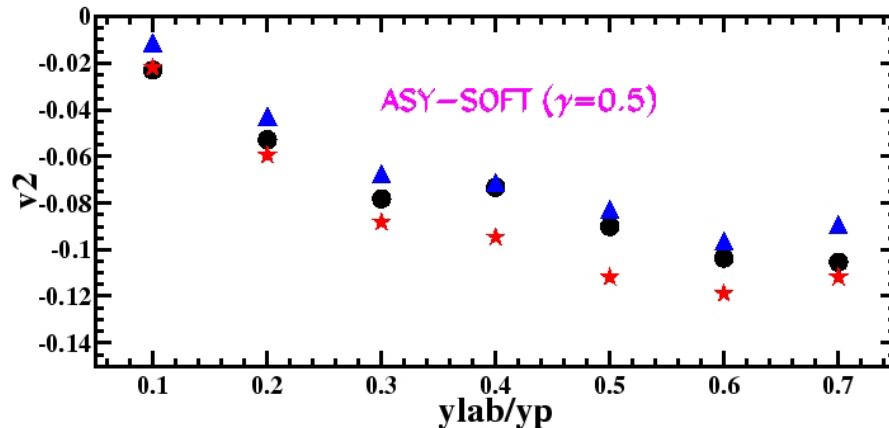
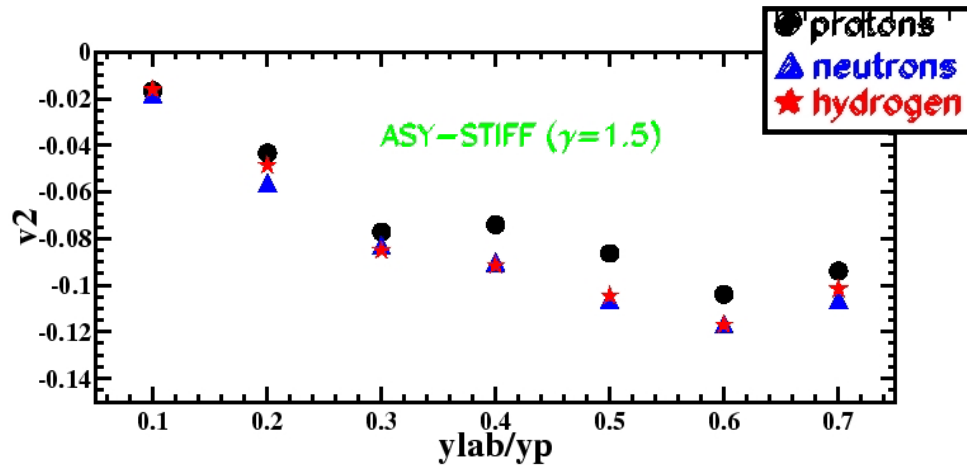
see W. Trautmann, P. Wu talks



# URQMD simulations: Au+Au @ 400 AMeV

5.5 < b < 7.5 fm

$$V_2(y, p_t) = \left\langle \frac{p_x^2 - p_y^2}{p_t^2} \right\rangle.$$



Seen by LAND

37° < θ<sub>lab</sub> < 53°

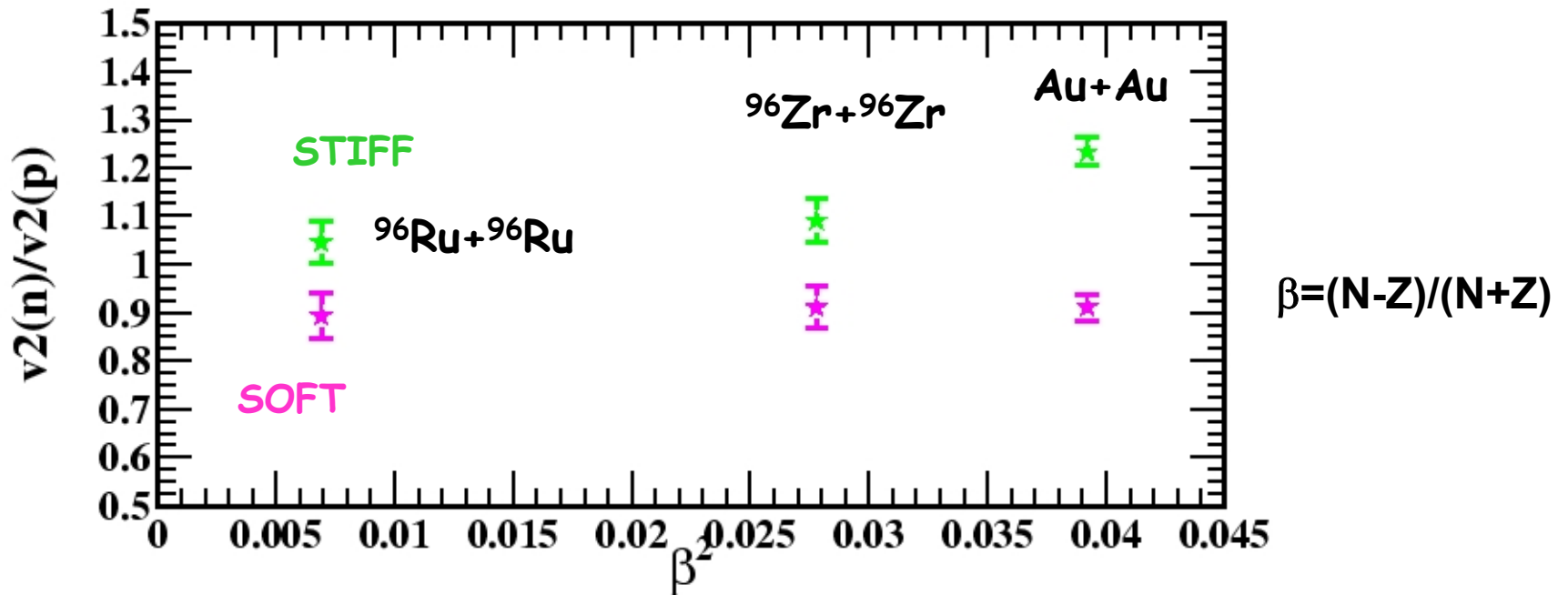
61° < θ<sub>lab</sub> < 85°

0.3 < p<sub>t</sub> < 1.3 GeV/c

inversion of the relative strengths of the elliptic flow for neutrons, protons, and hydrogen → relative effect!!!!

# URQMD simulations: @ 400 AMeV

V2 for  $|(y/y_p)^{c.m.}| < 0.1$

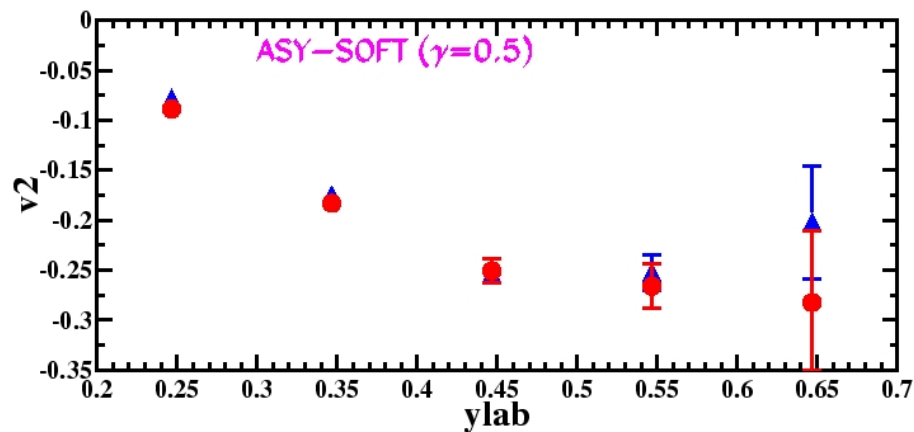
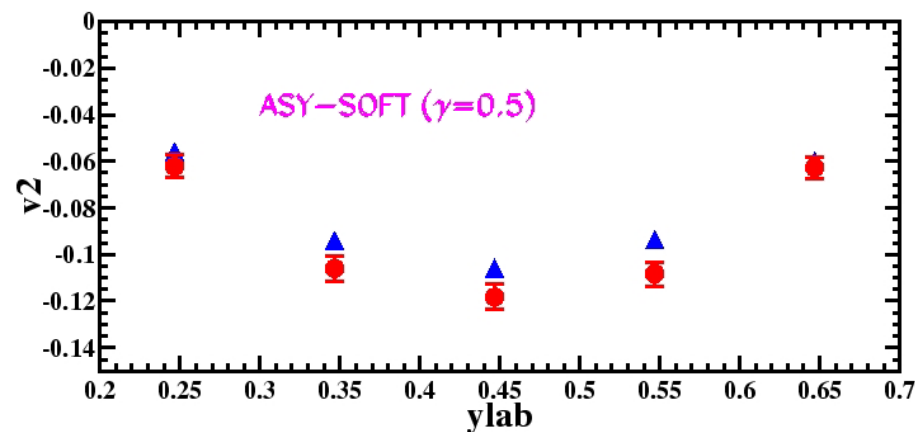
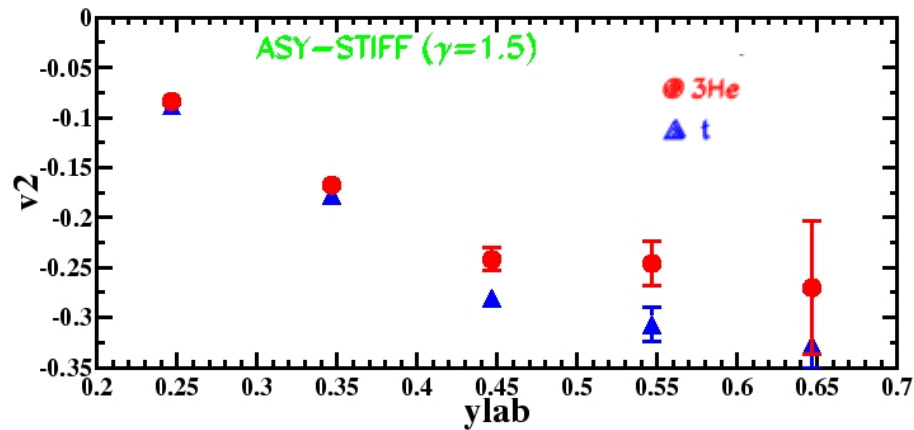
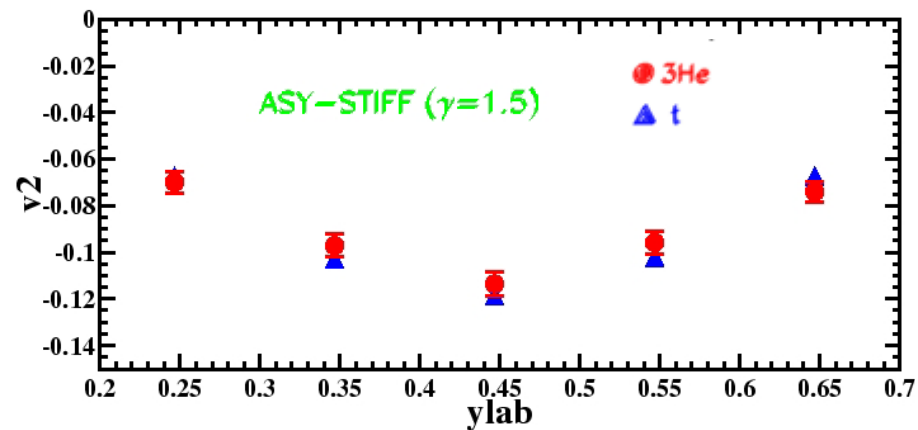


preliminar

Au+Au @ 400 AMeV

$5.5 < b < 7.5$  fm

preliminar

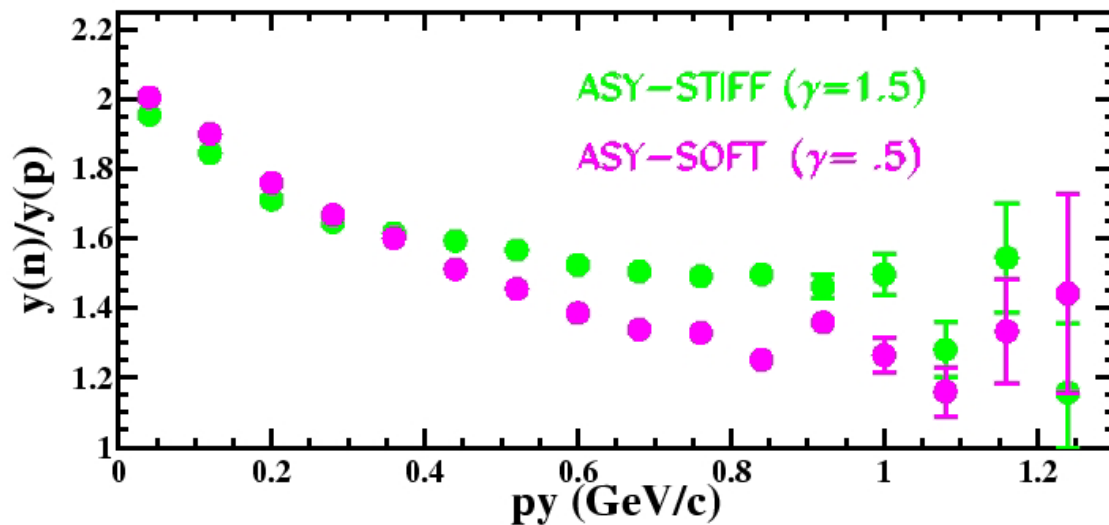


Total

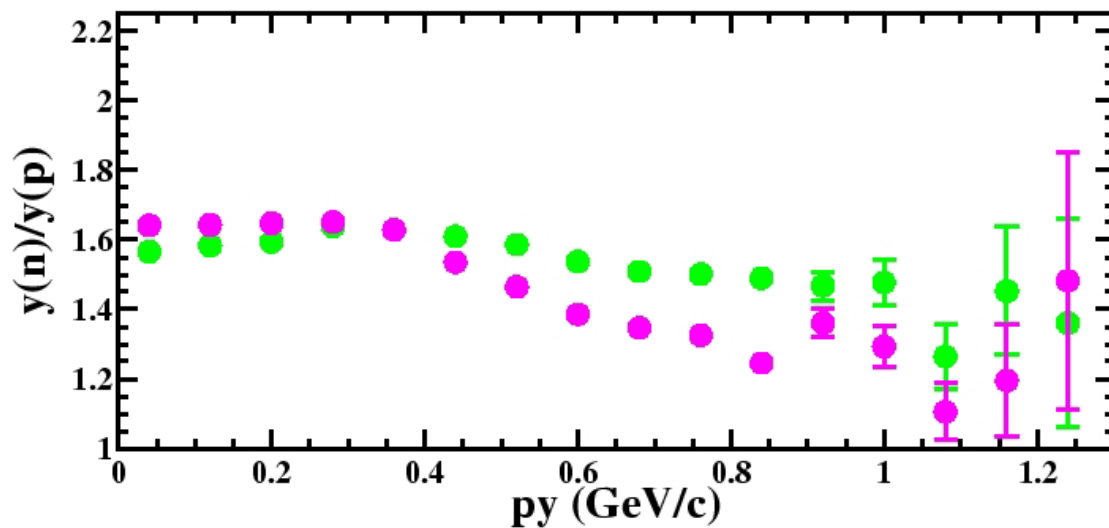
$37^\circ < \theta_{lab} < 53^\circ$

# Au+Au @ 400 AMeV

5.5 < b < 7.5 fm



Total



Seen by LAND

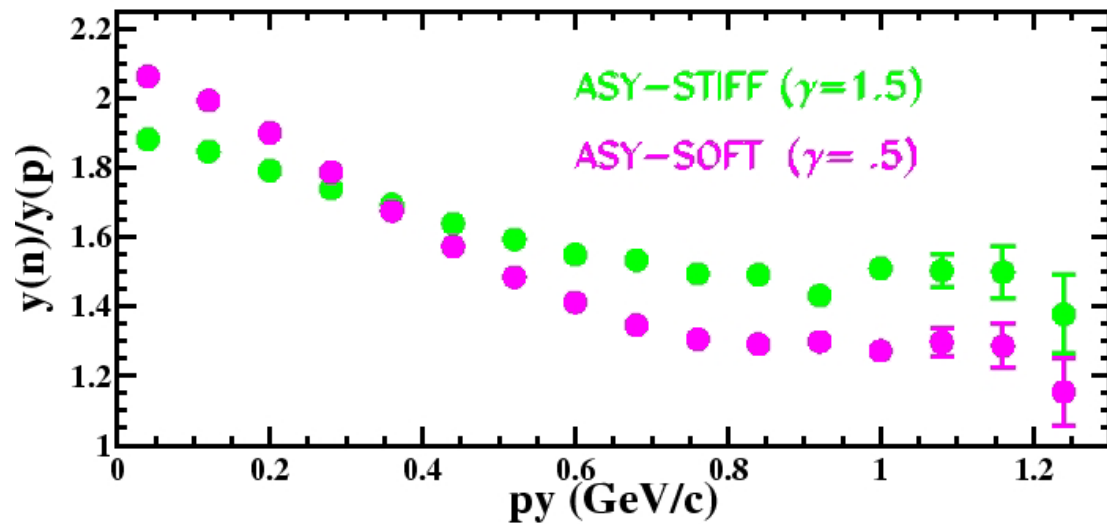
$37^\circ < \theta_{\text{lab}} < 53^\circ$

$61^\circ < \theta_{\text{lab}} < 85^\circ$

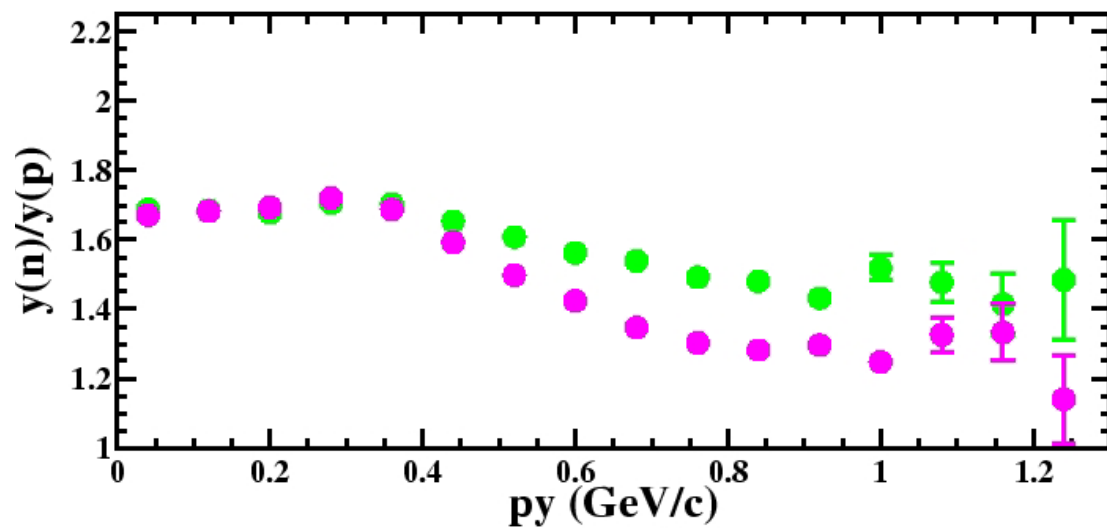
( $300 < p_t < 1300 \text{ MeV}/c$ )

# Au+Au @ 400 AMeV

$b < 2.75$  fm



Total



Seen by LAND

$$37^\circ < \theta_{\text{lab}} < 53^\circ$$

$$61^\circ < \theta_{\text{lab}} < 85^\circ$$

$$(300 < p_t < 1300 \text{ MeV}/c)$$

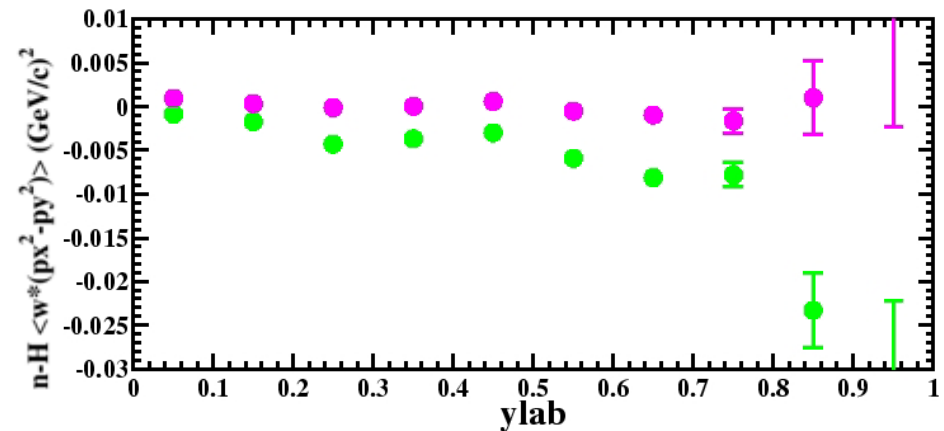
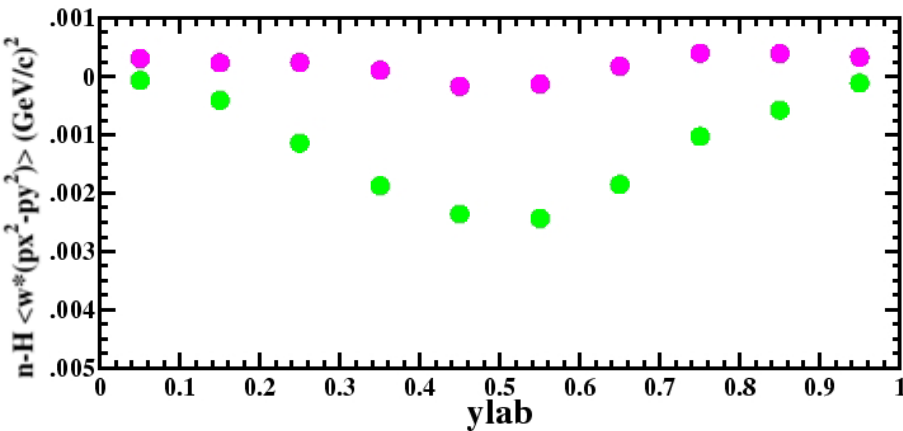
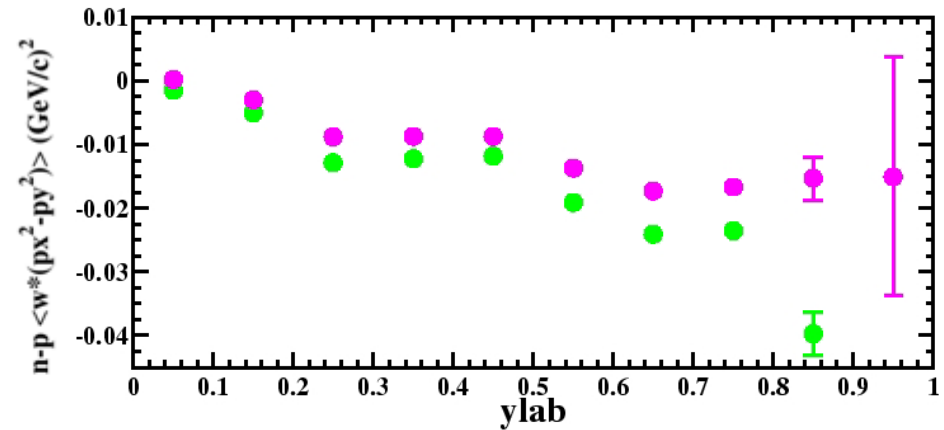
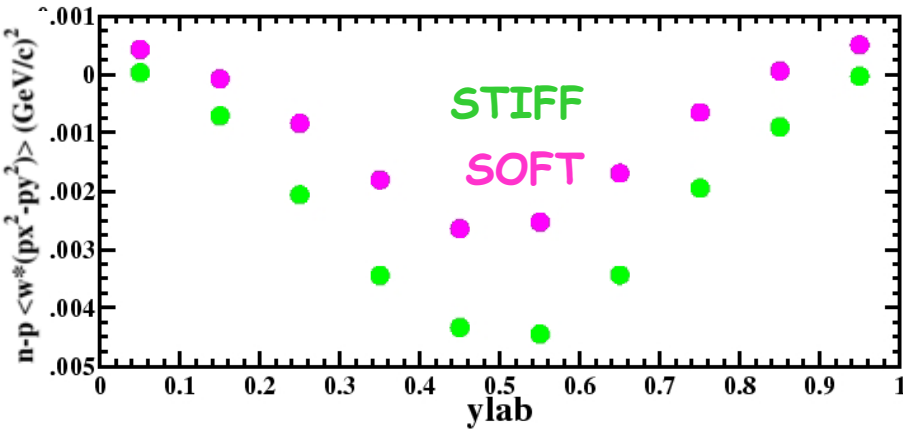
# Au+Au @ 400 AMeV

## 5.5 < b < 7.5 fm

$$F_{n-p}^x(y) \equiv \sum_{i=1}^{N(y)} (p_i^x w_i) / N(y), \quad (28)$$

where  $w_i = 1(-1)$  for neutrons (protons) and  $N(y)$  is the total number of free nucleons at rapidity  $y$ . Since

$$F_{n-p}^{x-y}(y) = \sum_{i=1}^{N(y)} [(p_i^x)^2 - (p_i^y)^2] w_i / N(y)$$



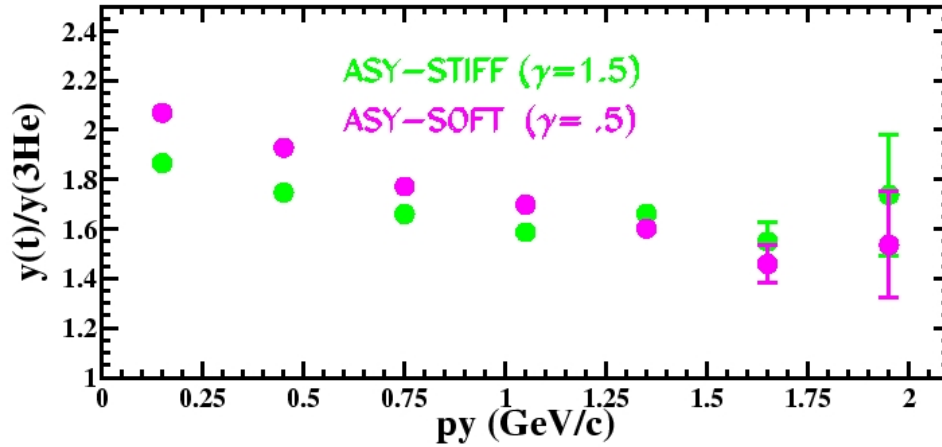
preliminar

Total

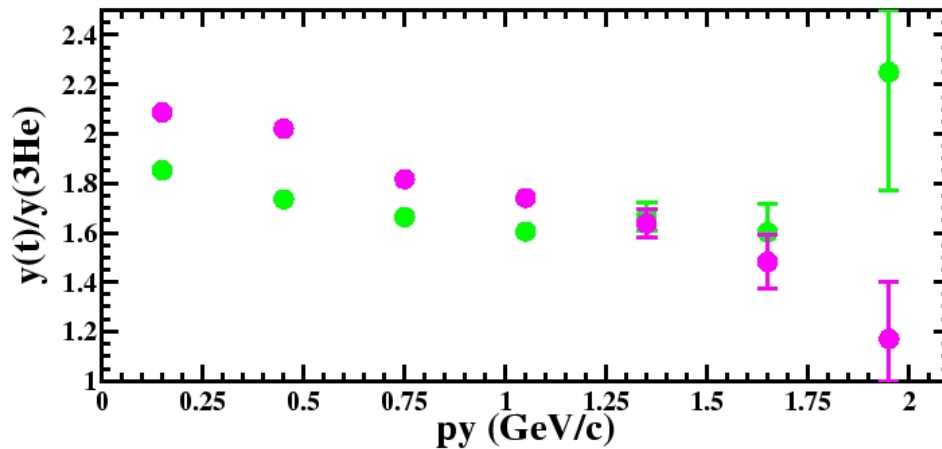
$37^\circ < \theta_{lab} < 53^\circ$   
 $61^\circ < \theta_{lab} < 85^\circ$   
 (300 < pt < 1300 MeV/c)

Au+Au @ 400 AMeV

$5.5 < b < 7.5$  fm



Total

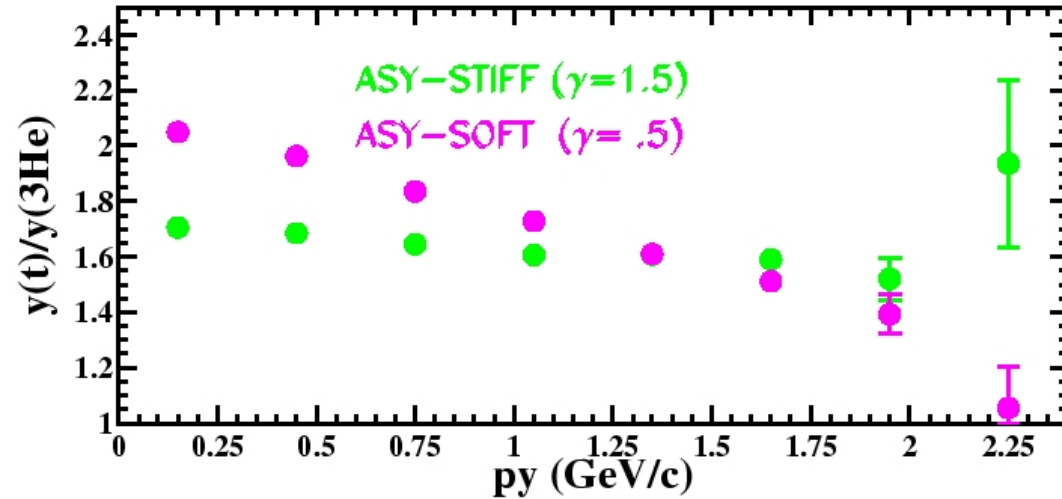


$37^\circ < \theta_{lab} < 53^\circ$

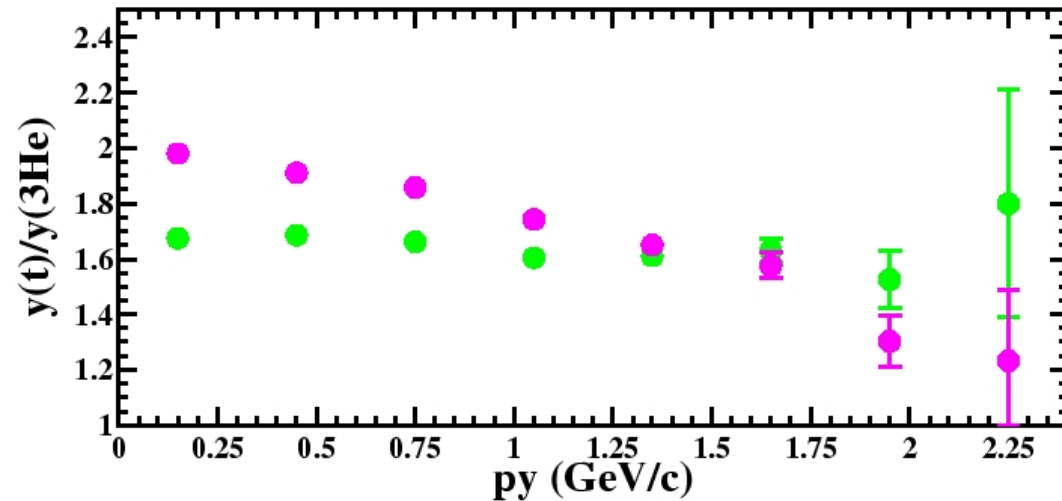
# Au+Au @ 400 AMeV

preliminar

$b < 2.75$  fm



Total



$37^\circ < \theta_{lab} < 53^\circ$



$$F_{n-p}^{\alpha}(y) \equiv \sum_{i=1}^{N(y)} (p_i^{\alpha} w_i) / N(y), \quad (28)$$

where  $w_i = 1(-1)$  for neutrons (protons) and  $N(y)$  is the total number of free nucleons at rapidity  $y$ . Since

## Double neutron-proton differential transverse flow as a probe for the high density behavior of the nuclear symmetry energy

Gao-Chan Yong,<sup>1,2</sup> Bao-An Li,<sup>3,4</sup> and Lie-Wen Chen<sup>5,6</sup>

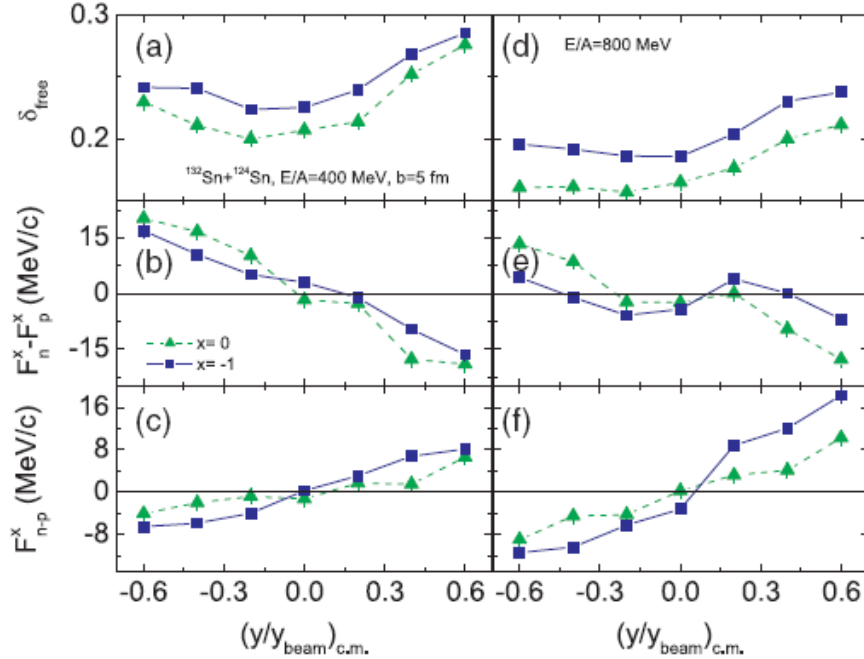


FIG. 3. (Color online) Rapidity distribution of the isospin asymmetry of free nucleons (upper panels), the difference of the average nucleon transverse flows (middle panels) and the neutron-proton differential transverse flow (lower panels) from  $^{132}\text{Sn} + ^{124}\text{Sn}$  reaction at the incident beam energies of 400, 800 MeV/nucleon and  $b = 5$  fm with two symmetry energies of  $x = 0$  and  $x = -1$ .

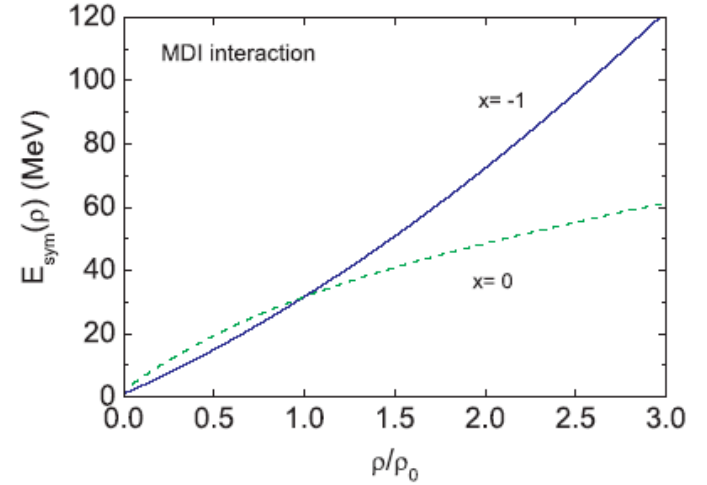


FIG. 1. (Color online) Density dependence of nuclear symmetry energy using the MDI interaction with  $x = 0$  and  $x = -1$ .

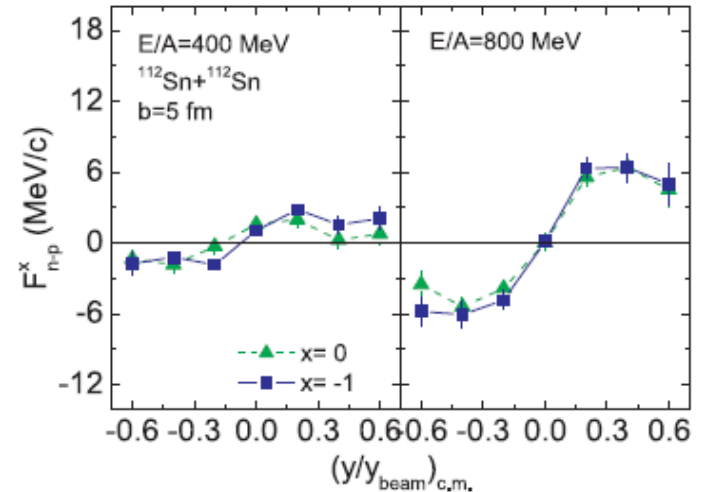
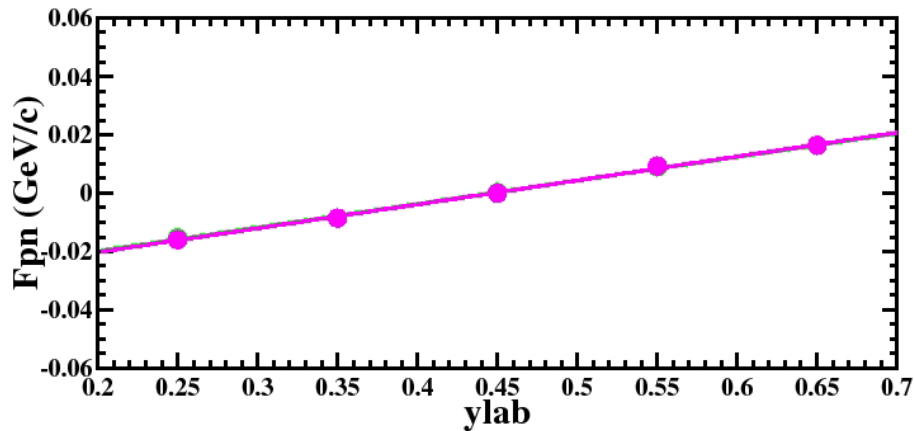
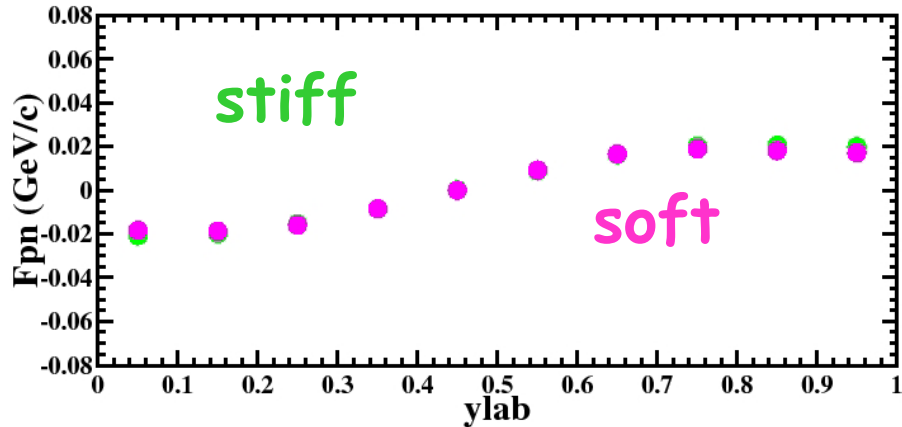


FIG. 4. (Color online) Same as the lowest two panels (c) and (f) of Fig. 3 but for the reaction system of  $^{112}\text{Sn} + ^{112}\text{Sn}$ .

# URQMD simulations: Au+Au @ 400 AMeV

**b=5.5-7.5 fm**



$$F_{n-p}^x(y) \equiv \sum_{i=1}^{N(y)} (p_i^x w_i) / N(y), \quad (28)$$

where  $w_i = 1(-1)$  for neutrons (protons) and  $N(y)$  is the total number of free nucleons at rapidity  $y$ . Since

**Proton and  
neutron**

**All pt**

**Slopes**

**0.08**

**0.08**

# URQMD simulations: Au+Au @ 400 AMeV

**b=5.5-7.5 fm**

$$F_{n-p}^x(y) \equiv \sum_{i=1}^{N(y)} (p_i^x w_i) / N(y), \quad (28)$$

where  $w_i = 1(-1)$  for neutrons (protons) and  $N(y)$  is the total number of free nucleons at rapidity  $y$ . Since

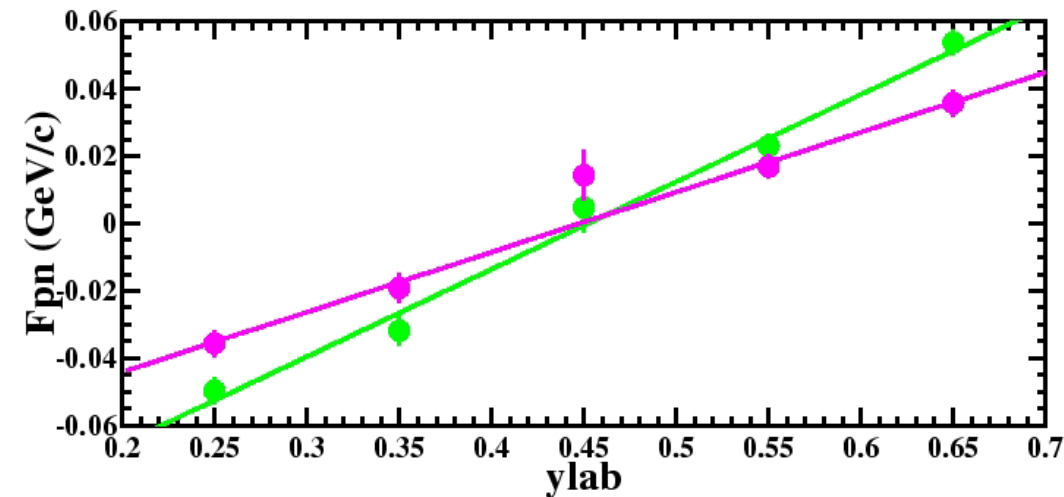
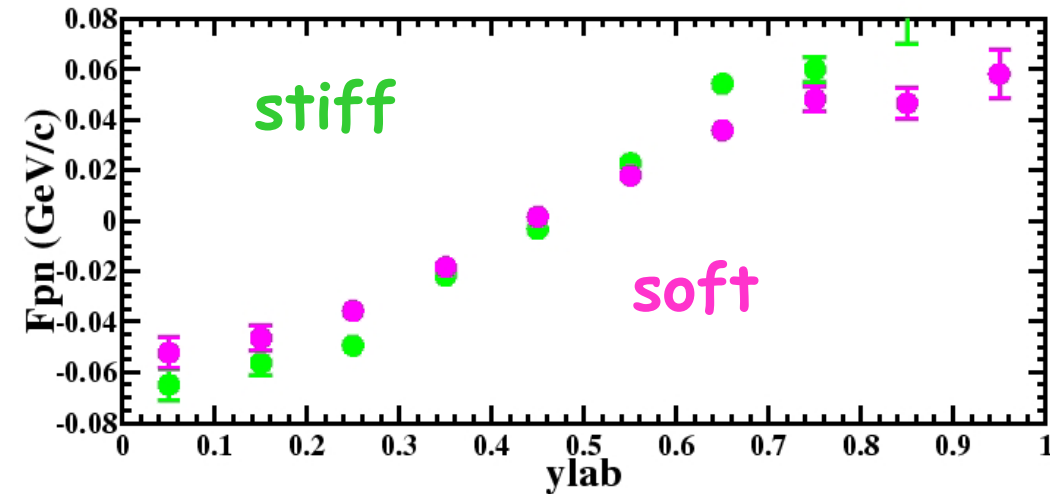
**Proton and  
neutron**

**pt > 0.75 GeV/c**

**Slopes**

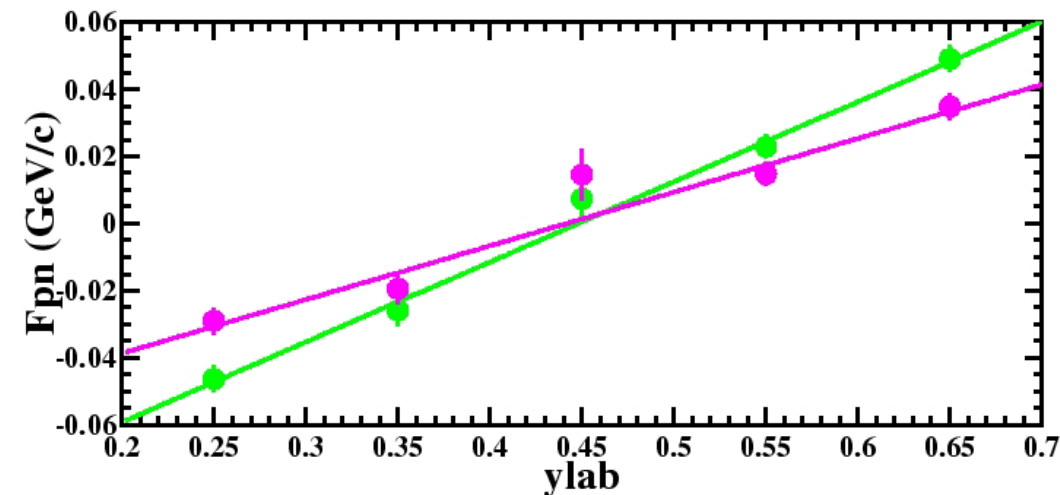
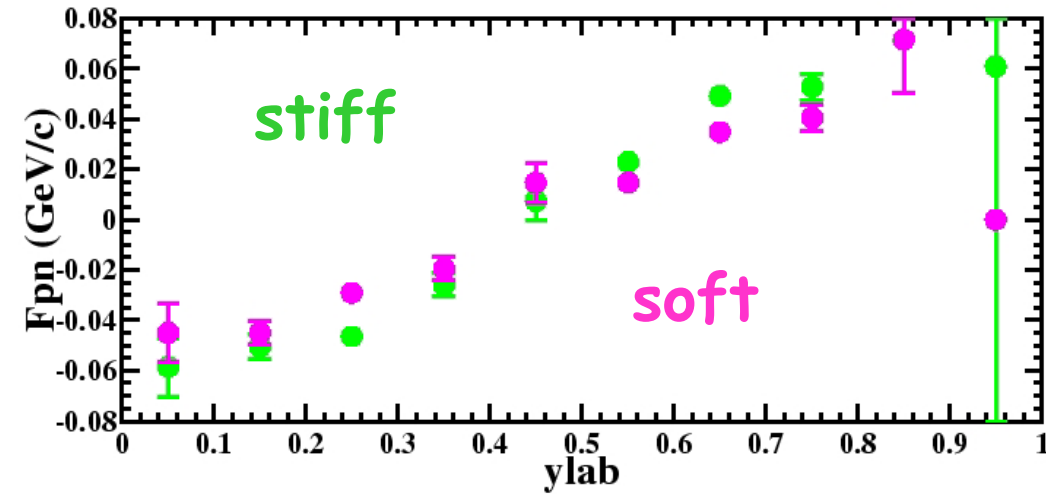
**0.25**

**0.18**



# URQMD simulations: Au+Au @ 400 AMeV

$b=5.5-7.5$  fm



p and neutron

$p_t > 0.75$  GeV/c

$37^\circ < \theta_{lab} < 53^\circ$

$61^\circ < \theta_{lab} < 85^\circ$

$\sigma_{rp} = 24^\circ$

Slopes

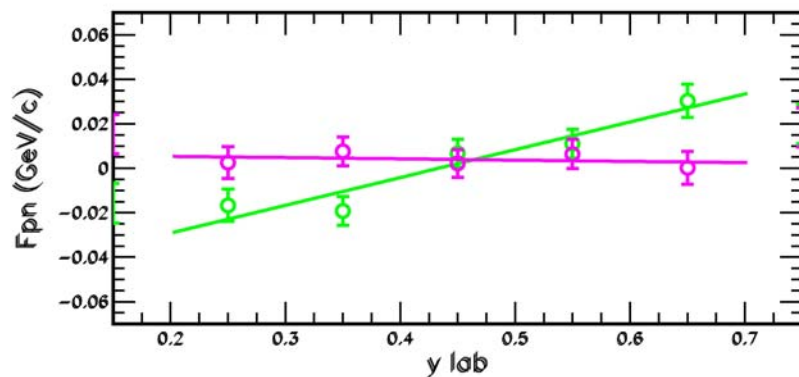
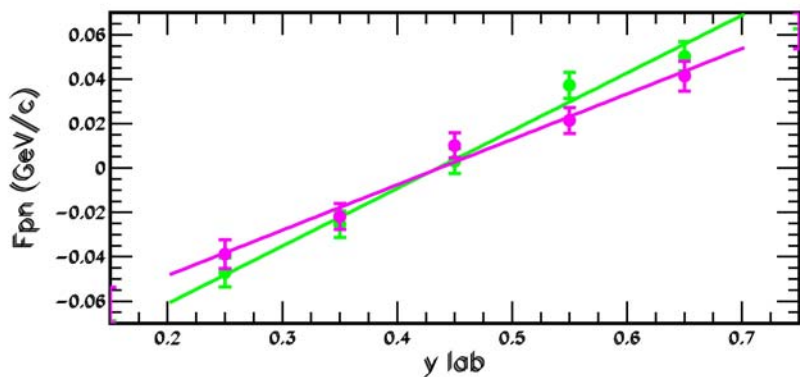
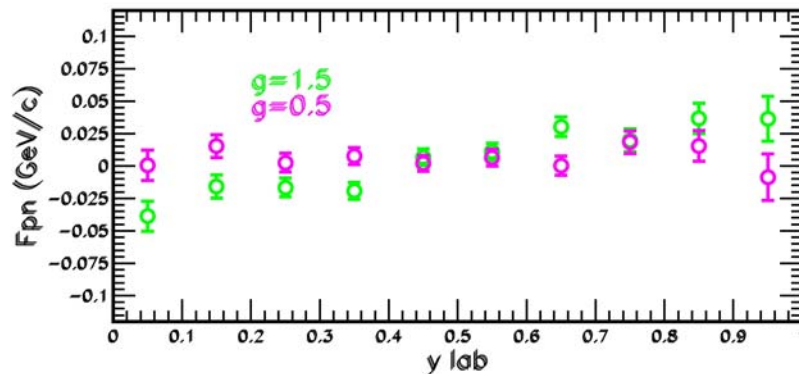
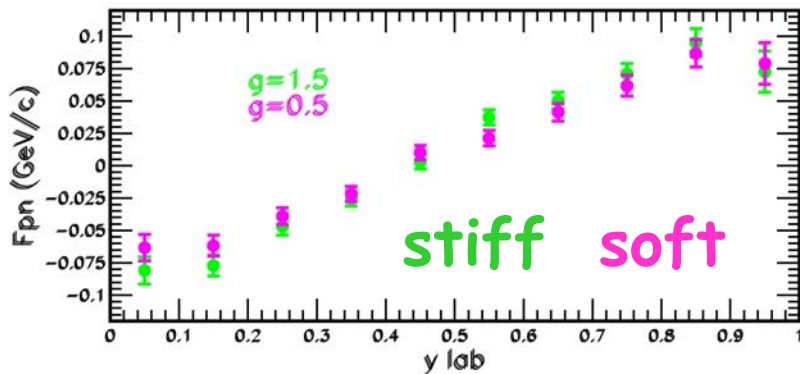
0.24

0.16

400 AMeV (SMDBHF)

$^{124}\text{Sn}+^{124}\text{Sn}$   $b=4-6$  fm

$^{112}\text{Sn}+^{112}\text{Sn}$   $b=4-6$  fm

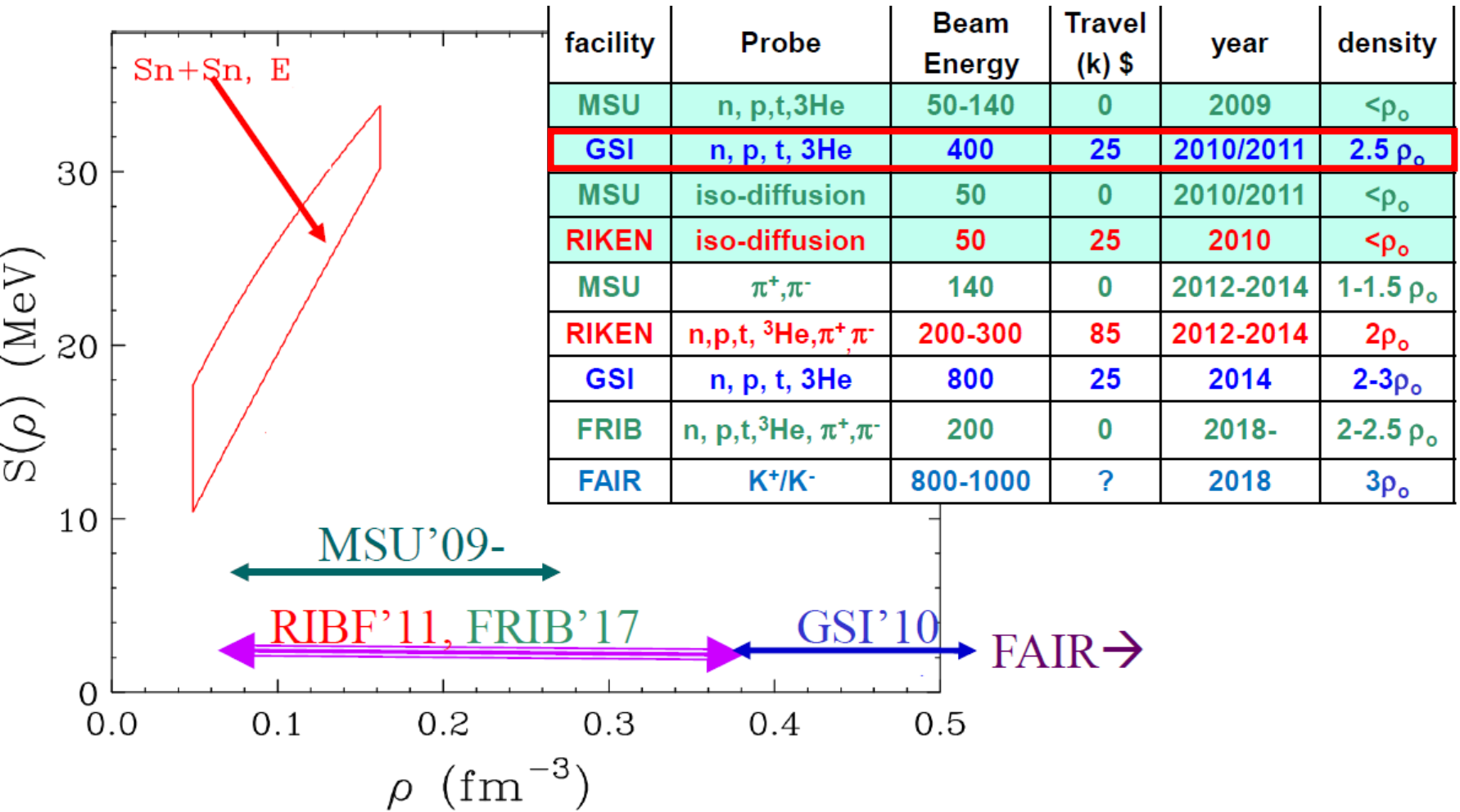


Proton and neutron

$p_t > 0.75$  GeV/c

→ DFpn and so on....

# From B. Tsang NUFRA2009



Symmetry Energy Project → International collaboration to determine the symmetry energy over a range of density

Require: New Detectors (TPC), travel money, theory support

R.Lemmon, P.Russotto et al.

ASY-EOS experiment approved by GSI-PAC

(possible) 1<sup>st</sup> phase toward FAIR ???

(e.g.  $^{132}\text{Sn}$ ,  $^{106}\text{Sn}$  beams)

Au+Au @ 400 AMeV

$^{96}\text{Zr}+^{96}\text{Zr}$  @ 400 AMeV

$^{96}\text{Ru}+^{96}\text{Ru}$  @ 400 AMeV

Other detectors in order to  
determine reaction plane or  
measure  $t$ ,  $^3\text{He}$ , N/Z of light  
IMFs.....?????

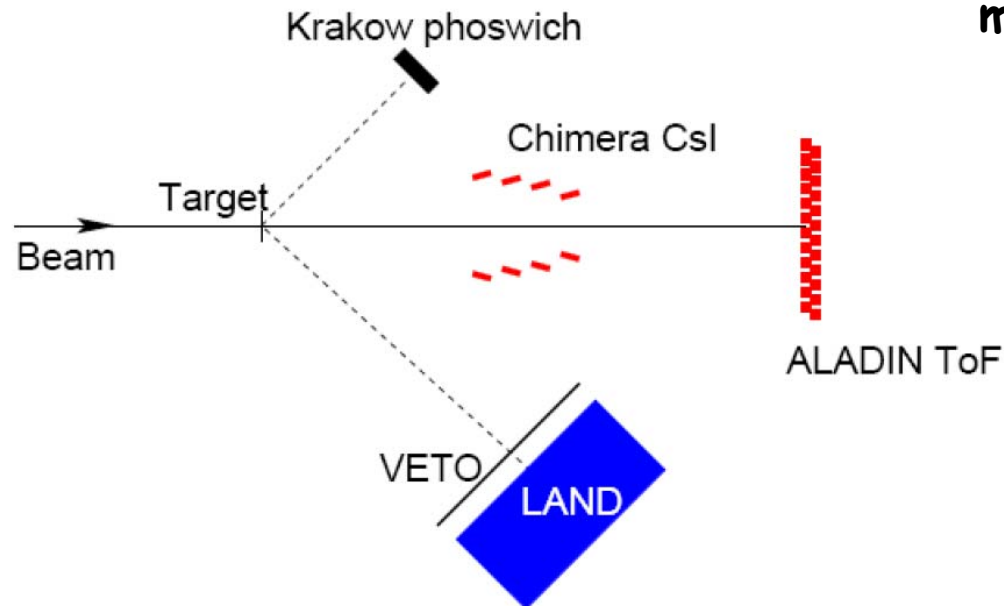
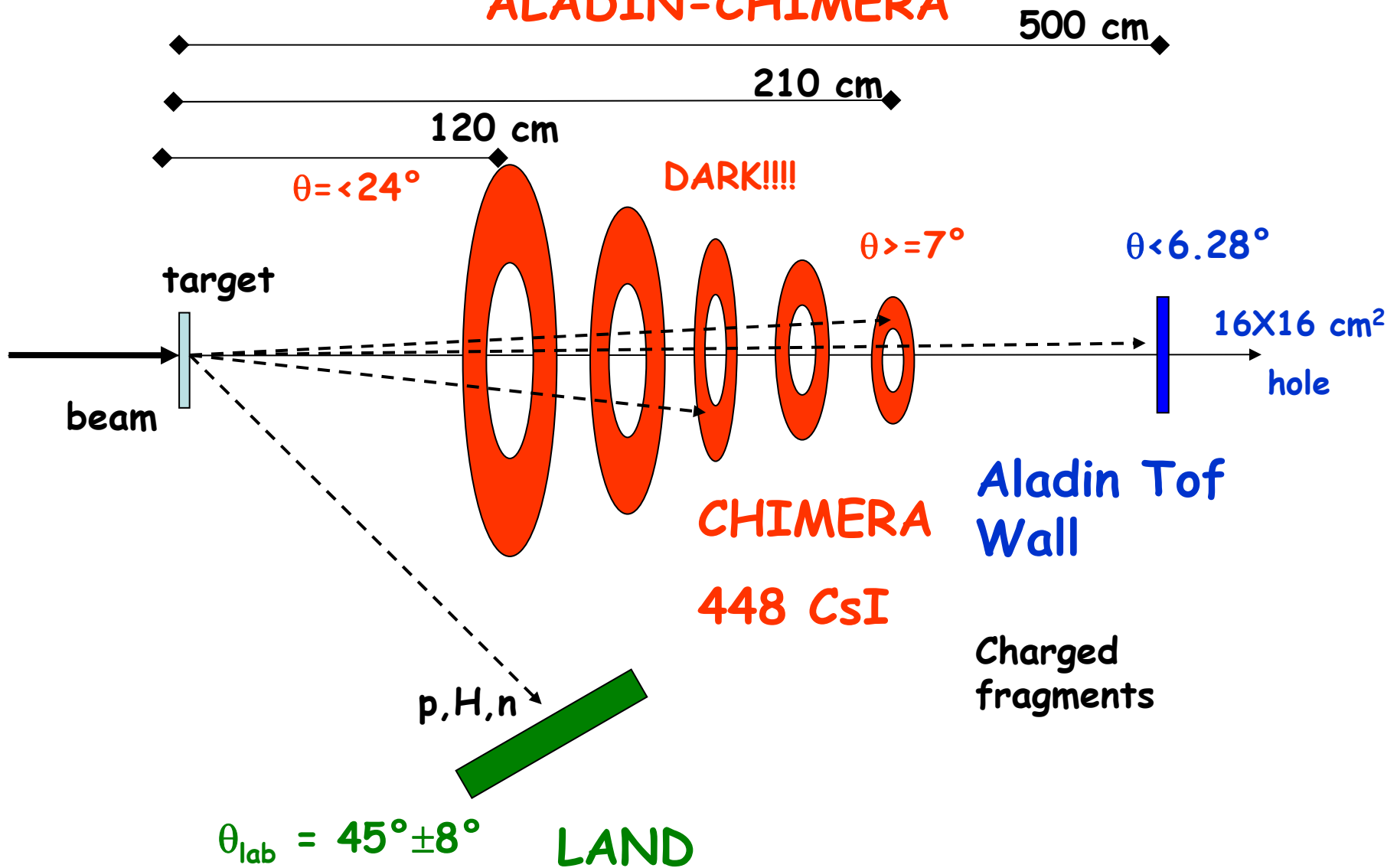


Figure 3: Schematic diagram of experimental setup in Cave C.

Experiment setup (not in scale)

# ALADIN-CHIMERA



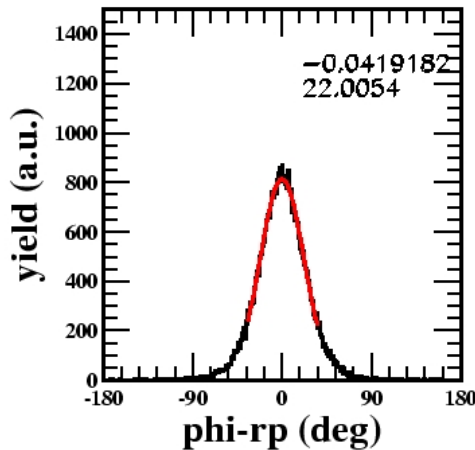
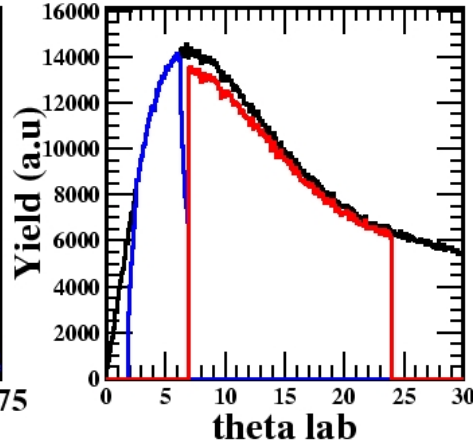
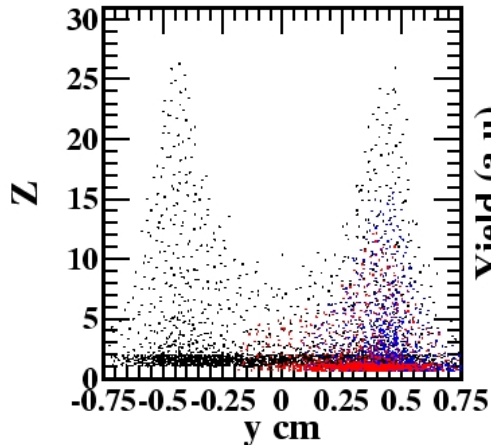
Artistic view (not in scale)



black→all charged particles

blue-red→used in reaction plane reconstruction (Q vector)

**Au+Au 400 A.Mev b=5.5-7.5 fm 0r4-8-dw5**



We define a vector constructed from the transverse momenta  $p_v^\perp$  of detected particles:

$$Q = \sum_{\nu=1}^M \omega_\nu p_\nu^\perp, \quad (1)$$

$\omega_\nu = 1$  for  $y_\nu > y_c + \delta$ ,  $\omega_\nu = -1$  for  $y_\nu < y_c - \delta$ , and  $\omega_\nu = 0$  otherwise. For symmetric collisions it is nat-

Using only  $\theta$ ,  $\phi$ ,  $Z$  information

$$\vec{Q} = \sum_{\nu=1}^M \omega_\nu Z_\nu^\perp$$

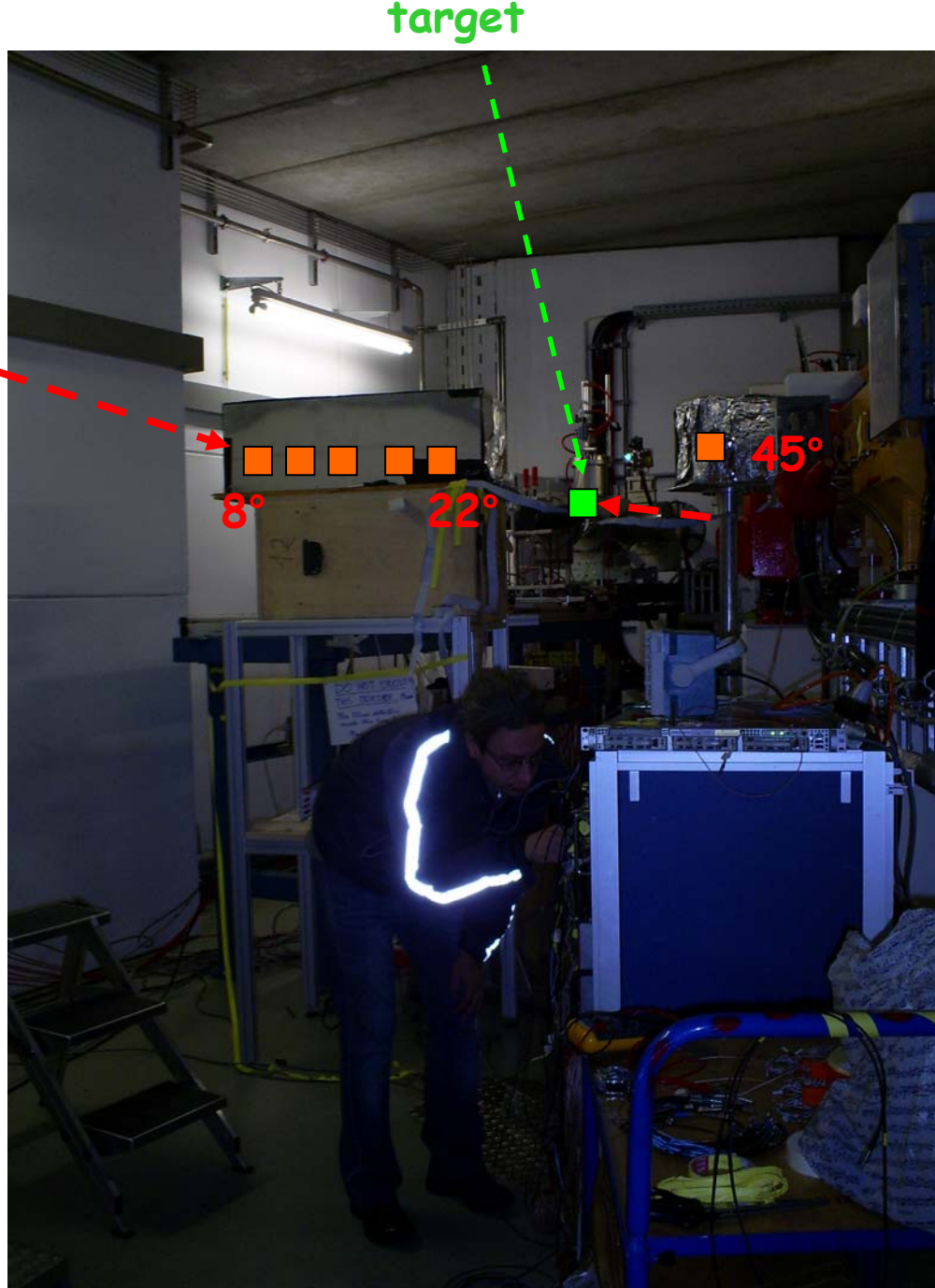
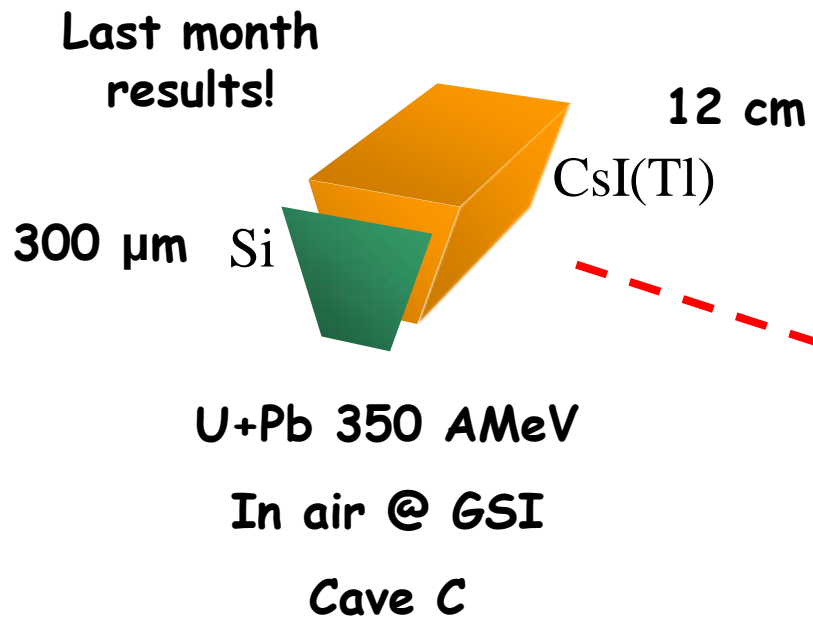
Only  $y_{cm} > 0.1$



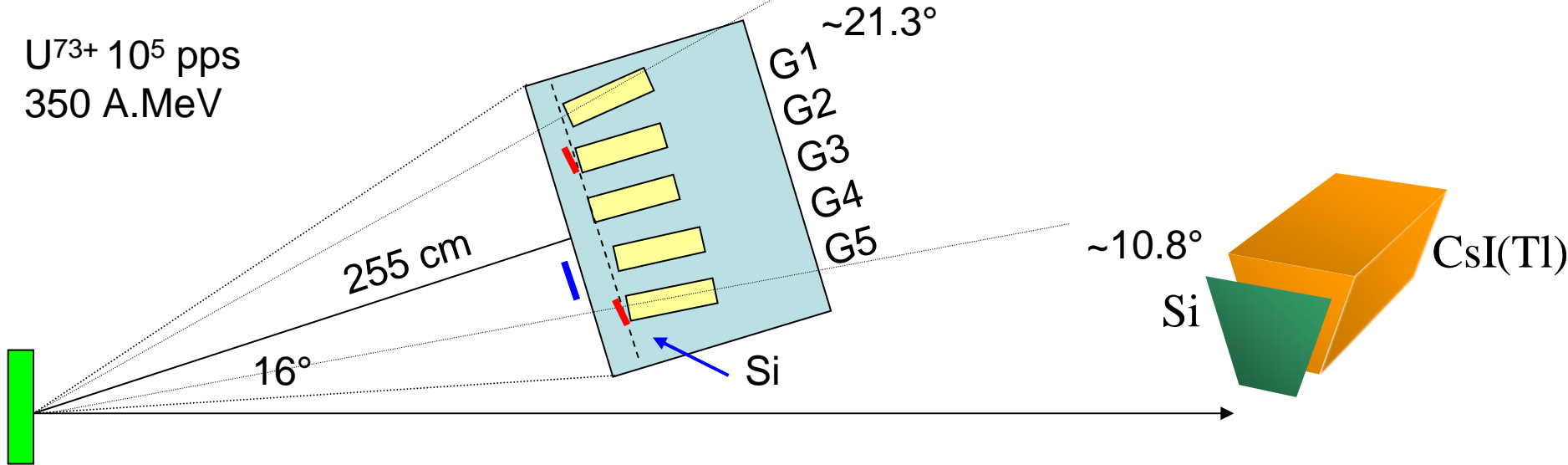
**CHIMERA**

$\Delta t$  (Csi) = 10 ns

$\Delta E/E$  (CsI) = 10 %



U<sup>73+</sup> 10<sup>5</sup> pps  
350 A.MeV



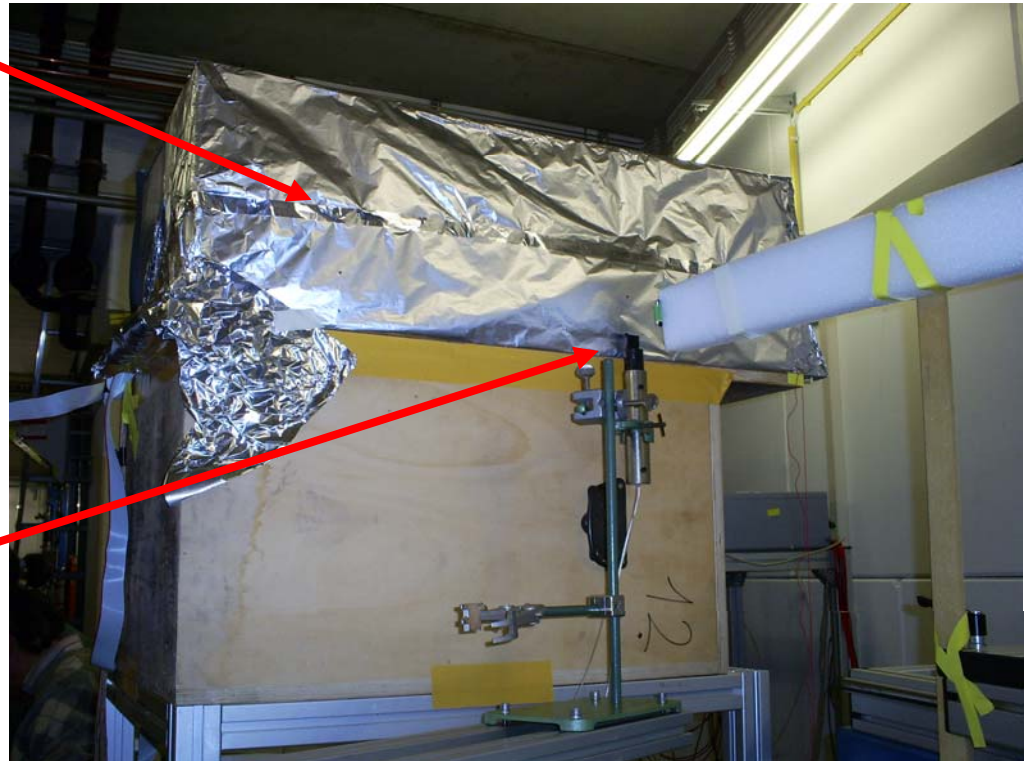
Pb (3% target)  
run 22-23

Big Box

GSI TEST  
GEOMETRY

Silicons  
in front of G5 and G2

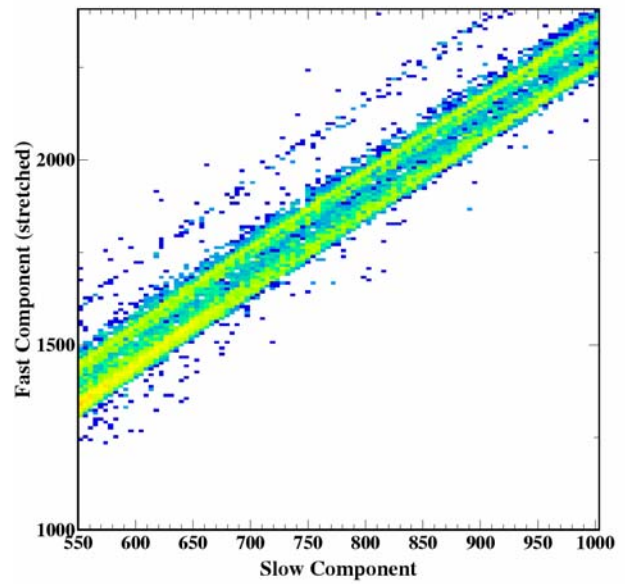
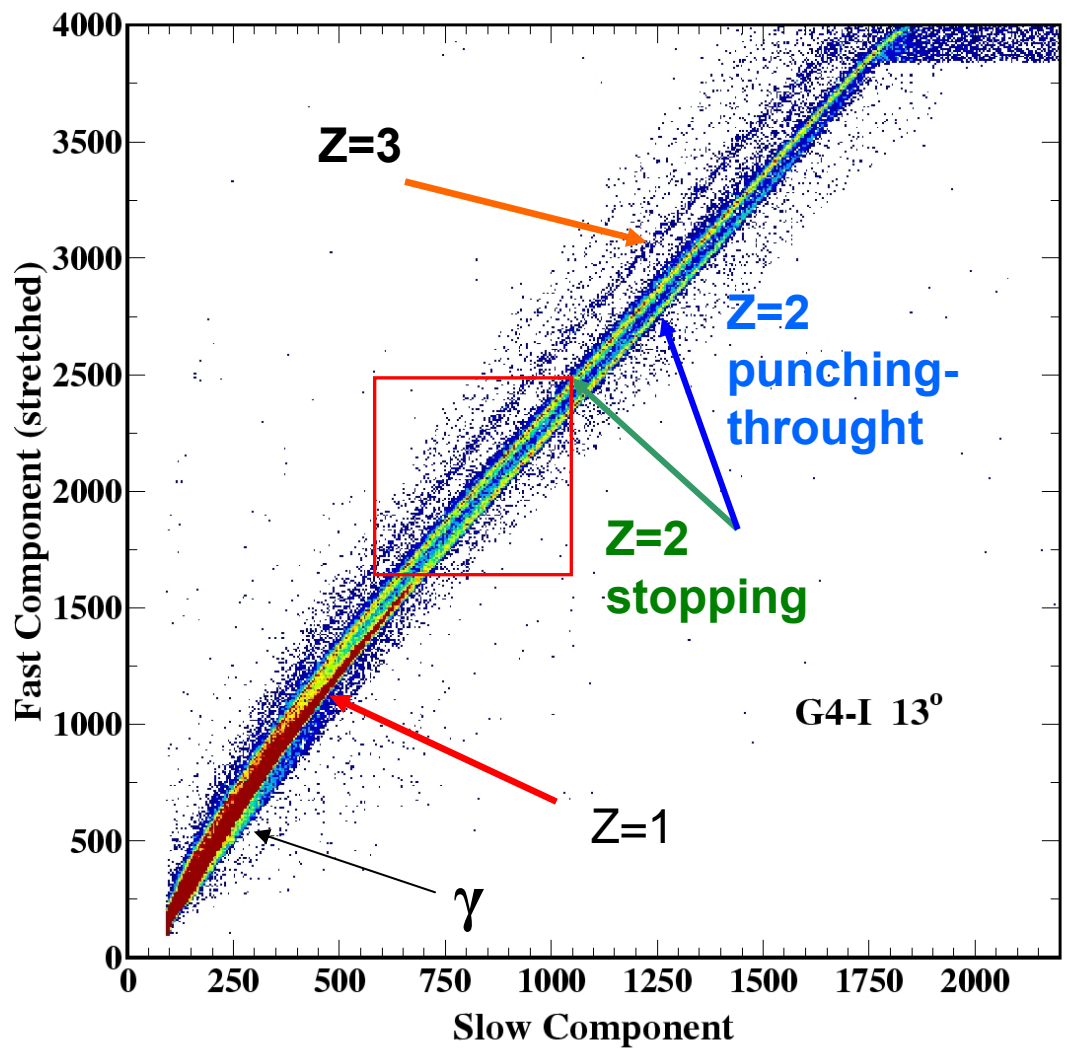
0.5 Plastic  
detector  
(front of  
G4I)



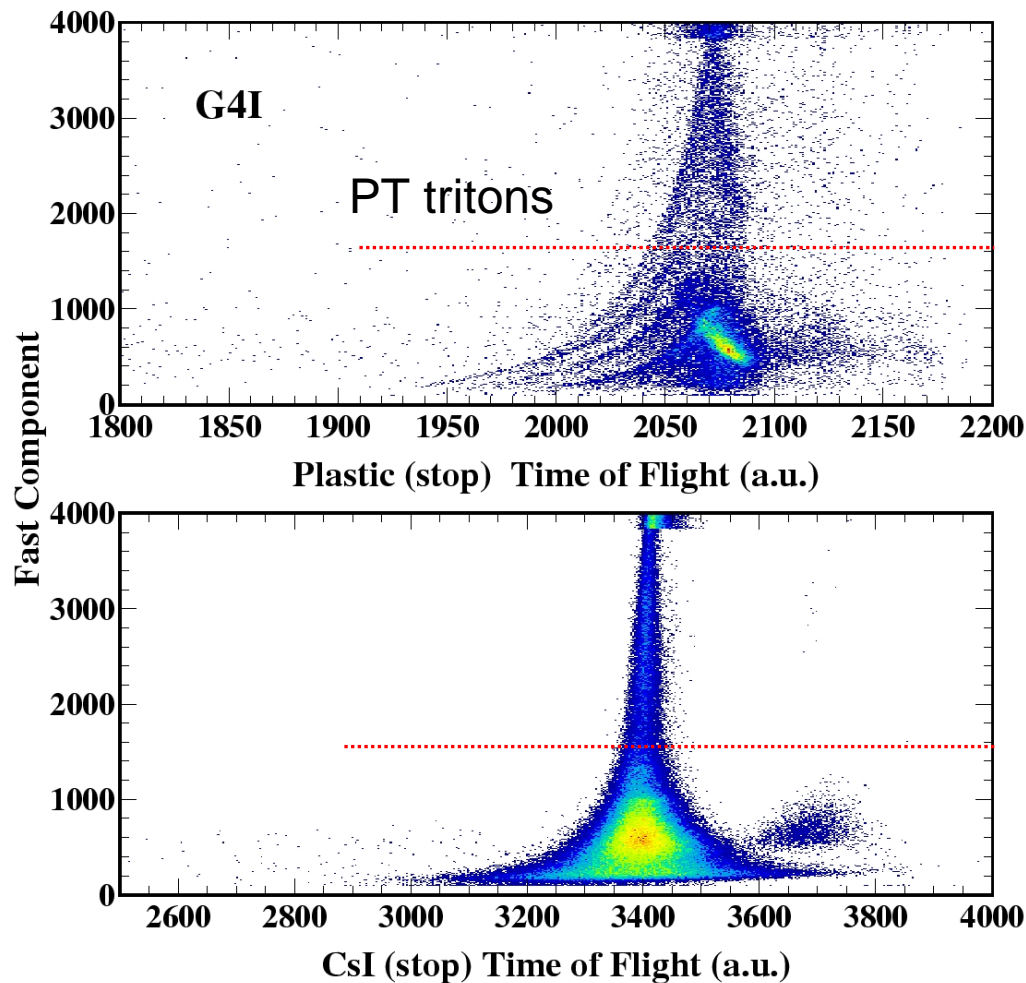
# Pulse-shape G4I

Gates (stretched and slow) = 50 ns (QDC V792, 50 Ohm impedance input / 400pC range)

Standard preamplifier 45 mV/MeV



0.5 cm plastic scintillator (phototube readout) in front of G4I CsI(Tl). Time-of-Flight respect to the beam start detector



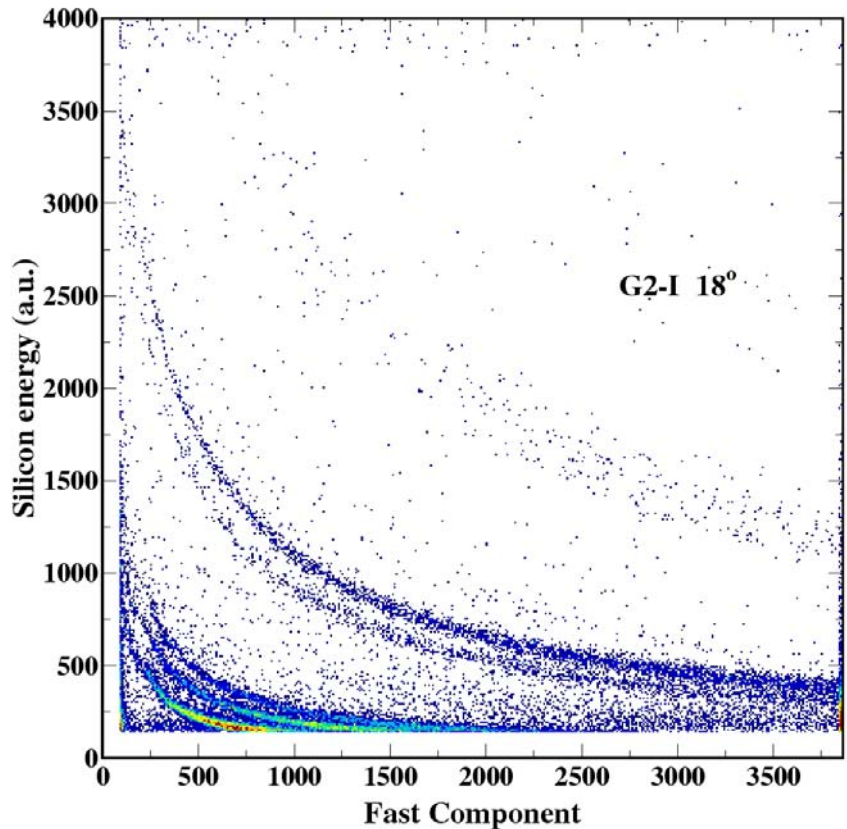
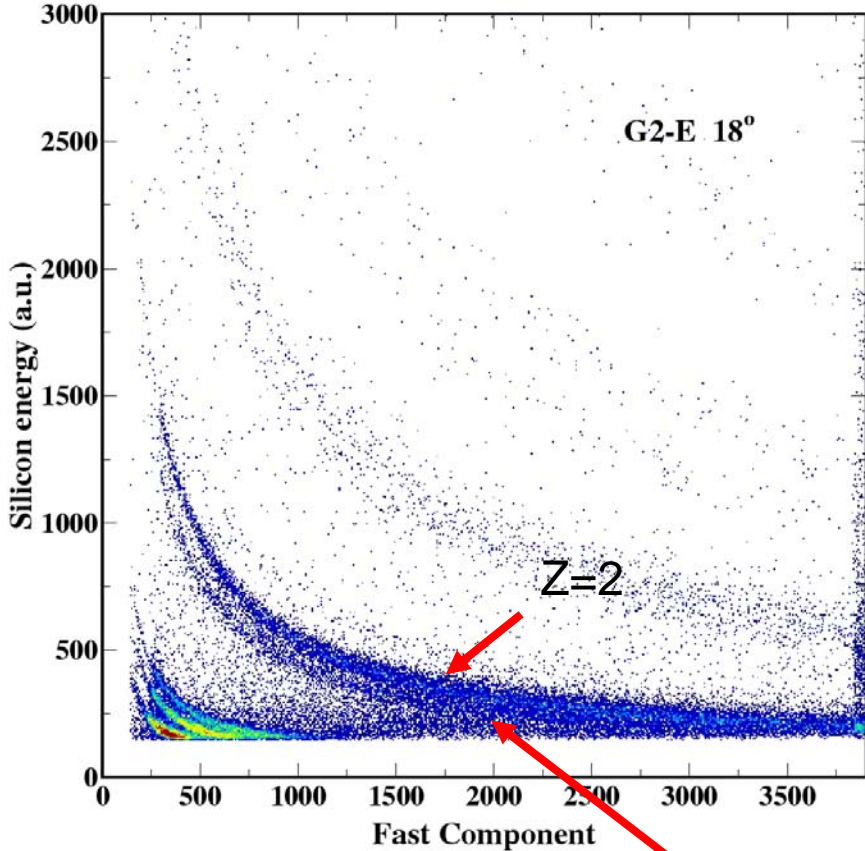
Useful to determine  
CsI average time  
resolution

Estimated CsI  
time resolution  
~ 8-11 ns.

# G2-E – G2-I

Gates (stretched and slow) = 500 ns (QDC V792, 1.1 kOhm impedance input\*)

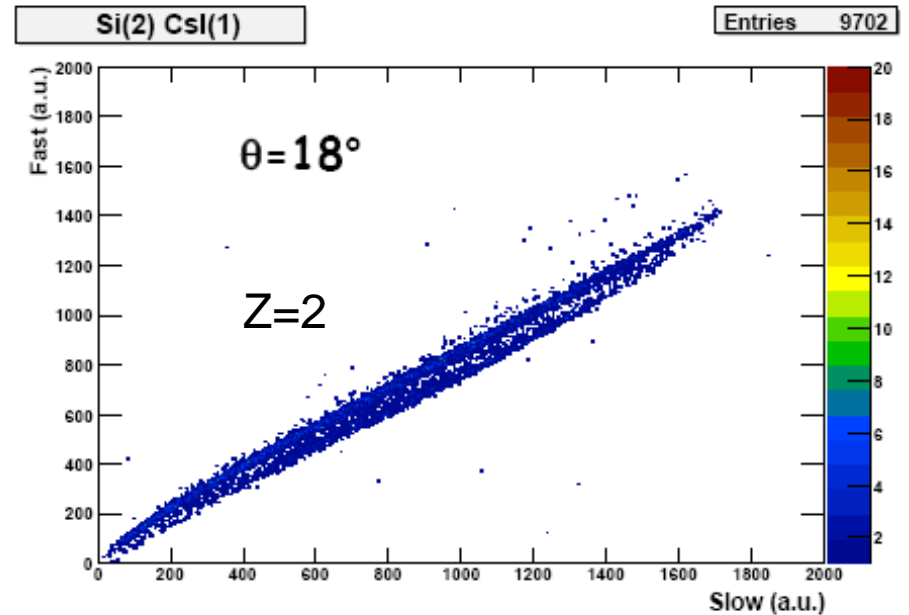
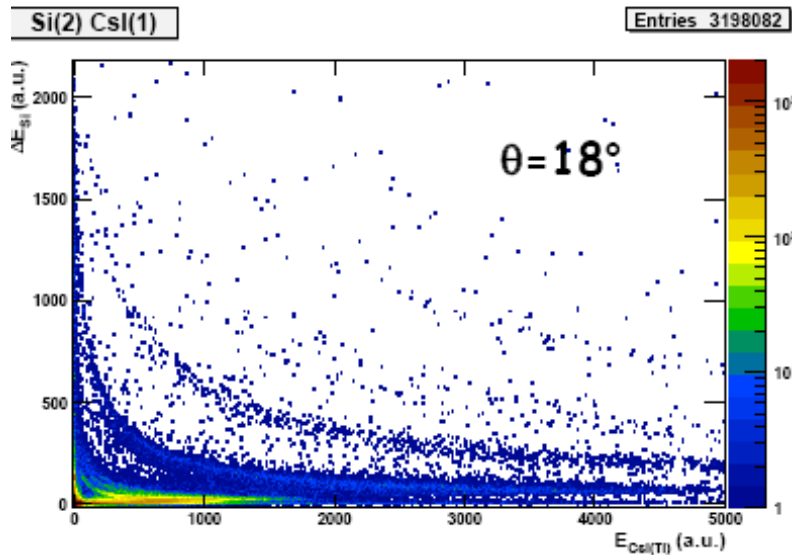
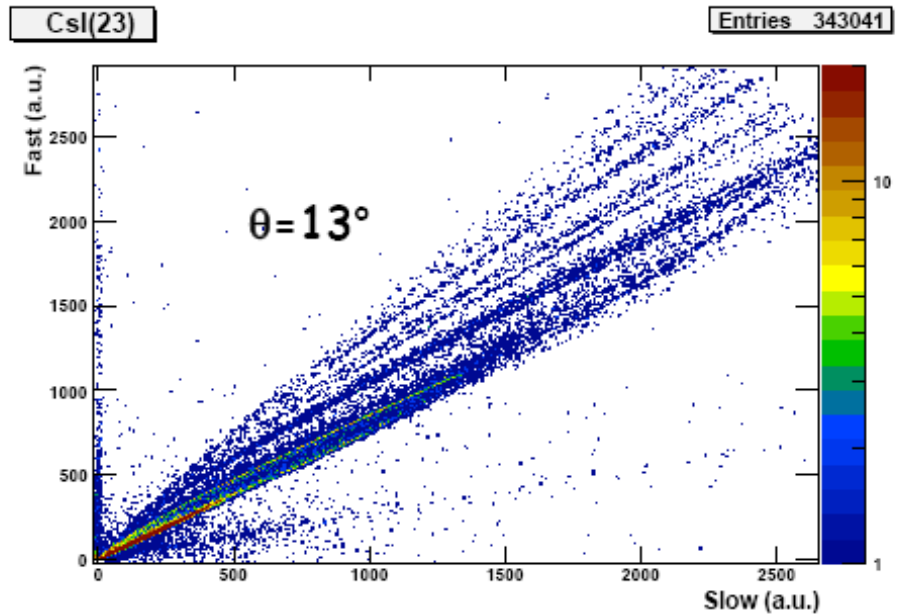
Standard preamplifier 45 mV/MeV (Standard Si-Csi Chimera telescope)



CsI(Tl) punching through Z=2

\* 1.1 kOhm in series resistors at input channels.

***DPSA: almost all Si and Csl signals splitted for digital analysis***



# Conclusions

Several heavy Ion reactions observables have been proposed in order to get information on symmetry energy (giant and pigmy dipole resonances, isobaric analogue states and masses, isospin diffusion,  $\pi^-/\pi^+$ ,  $K^+/K^0$ , n/p ratios, neutron/proton differential flow,  $v_2$ ,  ${}^3\text{H}/{}^3\text{He}$  ratio...).

More extended data sets and consistency checks are needed in order to arrive at firm conclusions especially at supra-saturation densities

Even if there are a lot of open questions (N-N cross section, effective masses,...) in the ASY-EOS experiment at GSI we will try to measure crucial observables.....

.....“a good constraint” of symmetry energy at supra-saturation density ???



The high density behaviour of the nuclear symmetry energy  $E_{\text{sym}}(\rho)$  is very important for understanding both high density nuclear matter and many interesting astrophysical objects, but it is also subject to the large uncertainty.